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S/020/60/135/004/004/037 0111/0222

Some Inequalities for Differentiable Functions of Many Variables

$$(7)I_{2} = \left[\int_{(D_{\mathbf{n}})}^{\mathbf{n}} \left(\int_{(D_{\mathbf{n}})}^{\mathbf{n}} \frac{\int_{(D_{\mathbf{n}})}^{\mathbf{k}} \left(\mathbf{x}_{\mathbf{n}} \right) - \frac{\mathbf{x}^{\mathbf{k}} \mathbf{f}(\mathbf{x}_{\mathbf{n}})}{\mathbf{x}_{\mathbf{x}_{1}} \cdot \mathbf{x}^{\mathbf{x}_{3}} \mathbf{k}} - \frac{\mathbf{x}^{\mathbf{k}} \mathbf{f}(\mathbf{x}_{\mathbf{n}})}{\mathbf{x}_{\mathbf{x}_{1}} \cdot \mathbf{x}^{\mathbf{x}_{3}} \mathbf{k}} \right]^{1/q} \leq$$

 $\leqslant c_q(\Delta h^{m/q-n/p-k-\beta+mh} \mathcal{E}_m^{-k-\beta}).$

In (6) and (7), h is an arbitrary positive number $\leq Z$; C_i are constants not depending on A, H, h, H, V, M. For additional assumptions on D all results can be extended to functions

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Some Inequalities for Differentiable Functions of Many Variables having generalised derivatives in the sense of S.L.Sobolev. The author mentions S.M.Nikol'skiy and L.N.Slobodetskiy. There are 4 Soviet references.

ASSOCIATION: Leningradskoye otdeleniye matematicheskogo instituta imeni V.A.Steklova Akademii nauk SSSR. (Leningrad Branch of the Mathematical Institute imeni V.A.Steklov of the Academy of Sciences USSR)

PRESENTED: June 17, 1960, by S.L.Sobolev, Academician

SUBMITTED: June 14, 1960

Card 7/7

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24028 8/039/61/054/003/001/001 C111/C444

AUTHOR:

Il'in, V. P.

TITLE:

Some integral inequalities and their applications in the theory of differentiable functions of several variables.

PERIODICAL: Matematicheskiy sbornik, v. 54, no. 3, 1961, 331-380

TEXT: The paper gives a detailed description of the formerly announced results of the author (Ref. 12: Nekotoryye integral nyye neravenstva dlya differentsirnyemykh funktsiy mnogikh peremennykh [Some integral inequalities for differentiable functions of several variables] DAN SSSR, t. 129, no. 6 (1959), 1214-1217; Ref. 13: Nekotoryye funktsional-'nyye neravenstva tipa teorem vlozheniya svesom [Some functional inequalities of the type of embedding theorems with weight] DAN SSSR, t. 129, no. 5 (1959), 983-985). The results overlap partially with V. P. Glushko (Ref. 14: Ob operatorakh tipa potentsiala i nekotorykh teoremakh vlozheniya [On operators of the potential type and some embedding theorems DAN SSSR, t. 126, no. 3, (1959), 467-470). The author considers generalisations of well-known integral inequalities of the Hilbert inequality type (especially one of a two-parameter. inequality of Hardy and Littlewood (Ref. 2: Some properties of fractional integrals. I, Math. Zeitschrift, 27, no. 4 (1928), 565-606)), on Card 1/14

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Some integral inequalities... S/039/61/054/003/001/001

the higher dimensional case as well as their use in functions of seve-

ral variables. Let E_n be the Euclidean space of $X=X_n=(x_1,\ldots,x_n)$ and E_m the space of $Y=Y_m=(y_1,\ldots,y_m)$; $1\leq m\leq n$. If the coordinates of X are divided into two groups, then it will be written $X_n=(X_k,X_{n-k})$, where $X_k=(x_1,\ldots,x_k)$,

 $X_{n-k} = (x_{k+1}, \dots, x_n).$ Let $Z = Z_n = (z_1, \dots, z_n)$ be a point of E_n . We define: $X_n - Z_n = (x_1 - z_1, \dots, z_n).$ $X_n - Z_n$, $Y_m - Z_n = (Y_m - Z_m, Z_{n-m}) = (y_1 - z_1, \dots, y_m - z_m, -z_{m+1}, \dots, -z_n).$

 $r_1 = |x_n - z_n| = \sqrt{\sum_{i=1}^{n} (x_i - z_i)^2}, r_2 = |x_n - z_n|, r = |x_n - x_m|.$

Let D=D(X) be a measurable set in E_n , $f(X)=f(x_1,...,x_n)$ a function, measurable in D such that $|f(X)|^p$, p^{-1} , is summable; then is

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Some integral inequalities ...

 $f \in L_p^{(n)}(D)$ and $\|f\|_{L_p^{(n)}(D)} = \left\{ \int_{-\infty}^{\infty} \left(\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} |f|^p dx \right)^{1/p}, dx + dx_1 \dots dx_n \right\}$

 $f \in L_{\infty}^{(n)}$ is defined as usual. If $D = E_n$, then $f \in L_p(\mathbb{B}_n)$ or $f \in L_p^{(n)}$ is written instead of $f \in L_p^{(n)}(E_n)$. Let D(X,Y) be a measurable set in $E_n X = D_y(X)$ be the section of D(X,Y) at a fixed $Y \in D(Y)$ being the projection of D(X,Y) on E_n , and D(X) the projection of D(X,Y) on E_n . Let G(X,Y) be a non-negative measurable function in D(X,Y) and f(X) measurable in D(X).

 $\|f\sigma\|_{L_p^{(n)},(m)} = \sup_{\mathbf{Y} \in D(\mathbf{Y})} \left[\int_{(D_y(\mathbf{X}))} |f| \sigma|^p d\mathbf{X} \right]^{1/p}$

if the right hand is finite. In that case be

 $f \in L_{p,\infty}^{(n),(m)}(D(X,Y))$ and if $D(X,Y) = E_n \times E_m$; then $f \in L_{p,\infty}^{(n),(m)}$

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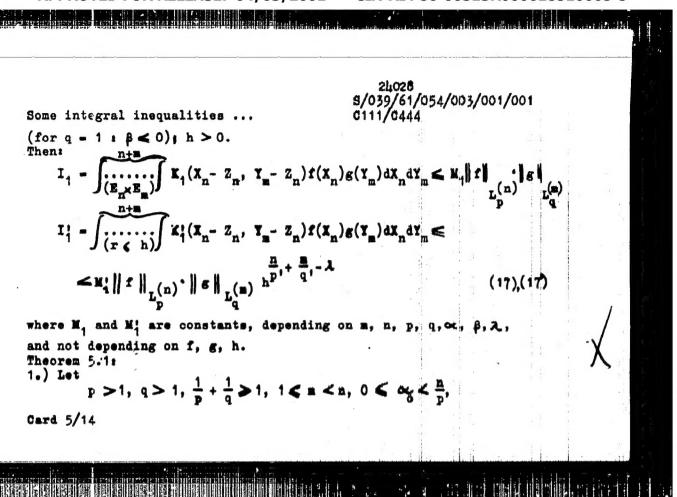
Let

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Some integral inequalities ... For p > 1 let p' be defined by $\frac{1}{p} + \frac{1}{p} = 1$; for $p = \infty$ defined by $\frac{1}{q} + \frac{1}{q} = 1$, let $\frac{p}{q} = 1$. § 1 Some integral inequalities of the Hilbert inequality type. Five thecrems, generalising the above mentioned inequality from [2] in different directions, are proved by aid of four lemmata e. g. Let $p \ge 1$, $q \ge 1$, $\frac{1}{p} + \frac{1}{q} \ge 1$, $1 \le m \le n$, $\beta < \frac{m}{q}$, $f(X_n) \in L_p(E_n)$, $g(Y_m) \in L_q(E_m)$, $Z_n = (z_1, \ldots, z_n)$, z_1 being fixed numbers. Further: Theorem 1.1: 1.) $K_1 = K_1(X_n - Z_n, Y_m - Z_n) = \begin{cases} r_1^{-\alpha} r_2^{-\beta} r^{\alpha + \beta} - (\frac{n}{p} + \frac{m}{q}) \\ 0 \end{cases}$ where $\infty > -\beta$ and for p > 1, $\frac{1}{p} + \frac{1}{q} > 1$ holds $\infty + \beta > 0$ (for $p = q = 1 : \beta \le 0, \infty \ge -\beta$); 2.) $K_1' = K_1 r^{\frac{n}{p} + \frac{m}{q} - \lambda}$, where $\lambda < \frac{n}{p} + \frac{m}{q}$, $\infty \ge$ Card 4/14

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Some integral inequalities ...

$$0<\beta<\frac{m}{q},\ ,\qquad \gamma\frac{p}{q},<\frac{n-m}{p},$$

$$g(Y_m) \in L_q(E_m), \quad f(X_n) \mid X_{n-m} \mid^T \in L_p(E_n), \quad f(X_n) \hat{r}^{ob} \leftarrow L_{p_1ob}^{(n),(m)},$$

$$K_{5} = |Y_{m}|^{-\beta_{E}}^{\beta+\gamma_{q}^{D}} - \infty^{(1 - \frac{D}{q},) - (\frac{n}{p}, + \frac{m}{q},)}$$

Then:

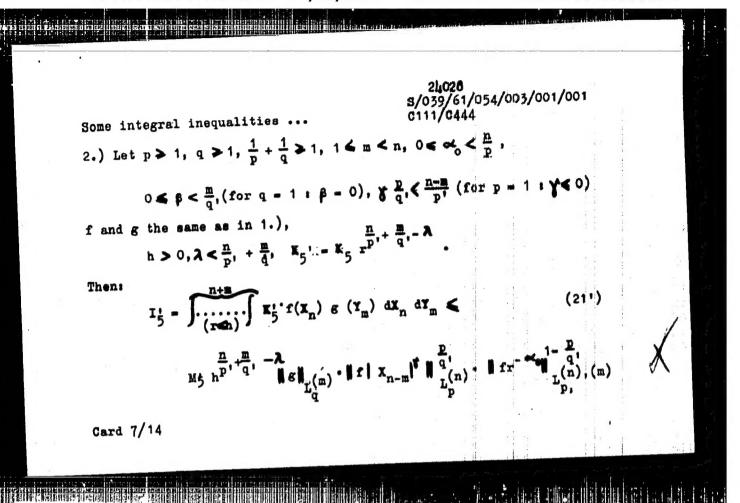
$$I_{5} = \widehat{\int_{(E_{n} E_{m})}^{n+m}} K_{5} f(X_{n}) g(Y_{m}) dX_{n} dY_{m} \leq$$

$$\leq \mathbf{H}_{5} \| \mathbf{g} \|_{\mathbf{L}_{\mathbf{q}}^{(\mathbf{m})}} \cdot \| \mathbf{f} |_{\mathbf{X}_{\mathbf{n}-\mathbf{m}}}^{\mathbf{f}} \|_{\mathbf{L}_{\mathbf{p}}^{(\mathbf{n})}}^{\frac{\mathbf{p}}{\mathbf{q}}} \| \mathbf{fr}^{-\infty} \|_{\mathbf{L}_{\mathbf{p},\infty}^{(\mathbf{n})}}^{1-\frac{\mathbf{p}}{\mathbf{q}}} . \tag{21}$$

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Some integral inequalities ...

where M_5 and M_5^* depend on f, g and do not depend on h.

§ 2. Some theorems on integrals of the potential typs. In this paragraph conclusions are brought in eight theorems from the theorems of § 1. e. g.

Theorem 6'. 2: If p > 1, 1 < m < n and besides

$$\gamma < \frac{n-n}{p!},$$

2)
$$\frac{n}{p'} < \lambda + f < \frac{n}{p'} + \frac{m}{p};$$

$$q' = \frac{m}{\lambda + \gamma - \frac{n}{p_i}}$$

4)
$$|\mathbf{x}_{n-n}|^{p} f(\mathbf{x}_n) \in L_p(\mathbf{E}_n).$$

$$U(Y_m) = \int \frac{f(X_n)}{(X_n - Y_m)} \lambda dX_n L_{q_1}(E_m),$$

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Some integral inequalities ...

while $\|\mathbf{u}\|_{\mathbf{L}_{\mathbf{q}},(\mathbf{E}_{\mathbf{m}})} \leq \mathbf{u}_{6} \|\mathbf{f}\|_{\mathbf{X}_{\mathbf{n}-\mathbf{m}}}\|^{\gamma}\|_{\mathbf{L}_{\mathbf{p}}(\mathbf{E}_{\mathbf{n}})},$ (29)

holds, where M6 is independent from f.

\$ 3. Auxiliary inequalities. 1 .2

§ 4. Some inequalities for differentiable functions of several variables.

Let f(X) be a continuous function which is defined in the domain D of the n-dimensional space, possessing continuous derivatives in the interior of D, D having the following property: To every point P of D one may be able to construct a sector of the n-dimensional sphere of constant radius and shape, the top of which lies at P, and which is entirely included in D. The class of such domains is called CD,

& being the maximal allowed radius of the sector.

Let

$$p^{j} f = \sqrt{\sum_{i_{1}, \dots, i_{d}=1}^{n} \left| \frac{3^{j} f}{3 x_{i_{1}} \dots 3 x_{i_{d}}} \right|^{2}}$$

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Some integral inequalities ...

Eight theorems are proved e. g.

Theorem 5.4

Let $1 \le m \le n$, $E_m - m$ - dimensional hyper-plane in E_m . Further be

$$p \le 1, \gamma < \frac{n-n}{p!}$$
 (for $p = 1 : \gamma \le 0$), $1-\kappa \ge 1$,

$$1 - k - \gamma > \frac{n-m}{p}$$

$$D \in C_{\mathbb{R}}^{n}, f(X) \in L_{\mathbb{R}}^{(n)} (D), D^{\bullet} f \cdot \beta^{\vee} L_{\mathbb{R}}^{(n)} (D),$$

where \boldsymbol{e} is the distance of $\mathbf{X} \in \mathbf{D}$ from $\mathbf{E}_{\mathbf{m}}$ and \mathbf{q} , $\boldsymbol{\delta}$ are such that

1.)
$$1 \le (\gamma, p) \le q \le \infty$$
, $\frac{m}{q} > \frac{n}{p} - (1-k) + \gamma$,

while for p > 1 and $1-k-\gamma < \frac{n}{p}$ it is $\frac{m}{q} > \frac{n}{p} - (1-k) + \gamma$.

2.) a) if $1 - k - \gamma > \frac{n}{p}$, then $0 < \beta < \frac{m}{q}$ (for $q = \infty$: $\beta = 0$) Card 10/14

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Some integral inequalities ...

b) if
$$1 - k - \gamma < \frac{n}{p}$$
, then $0 < \beta < \frac{m}{q} - \frac{n}{p} + 1 - k - \gamma$

and for
$$p > 1$$
 it is $0 \le 8 \le \frac{m}{q} - \frac{n}{p} + 1 - k - \gamma$.

 D_m be the section of D through E_m , r_2 —— the distance of the variable point Y C D_m to an arbitrary fixed point of D. Then holds the following inequality:

$$\|\mathbf{p}^{k}f \cdot \mathbf{r}_{2}^{-\beta}\|_{\mathbf{L}_{\mathbf{q}^{(D_{m})}}} \leq \|\mathbf{r}_{10}\| \|f\|_{\mathbf{L}^{(n)}(\mathbb{D})}^{\|\mathbf{r}\|_{\mathbf{L}^{(n)}(\mathbb{D})}} + \|\mathbf{r}_{11}\| \|\mathbf{p}^{1}f \cdot \boldsymbol{\rho}^{\dagger}\|_{\mathbf{L}_{\mathbf{p}}^{(n)}(\mathbb{D})}^{\|\mathbf{r}\|_{\mathbf{q}^{(n)}(\mathbb{D})}} + \|\mathbf{r}_{11}\| \|\mathbf{p}^{1}f \cdot \boldsymbol{\rho}^{\dagger}\|_{\mathbf{L}_{\mathbf{p}}^{(n)}(\mathbb{D})}^{\|\mathbf{r}\|_{\mathbf{q}^{(n)}(\mathbb{D})}} + (45)$$

where h is an arbitrary positive number, not exceeding k_{π^2} and k_{10} . Cari 11/14

24025 8/039/61/054/003/001/001 0111/0444 Some integral inequalities ... k11 constants, not depending on f and h. Theorem 6.4 Let $1 \le p < \infty$, $0 \le \infty < \frac{n}{p}, -\frac{n}{p} < \infty < \frac{n}{p}, '1 - k \le 1$.

Let $D \in C_{\mathbf{X}}^{n}$, Z a fixed point of D, $f(X) \in L_{\phi}(D)$,

$$v \ge 1$$
, $r_1^{c\ell} D^1 f \in L_p^{(D)}$, $r^{-c\ell_0} D^1 f \in L_{p,co}^{(n),(m)}$ (D,D) ;

the numbershim, q, & satisfy the following conditions:

1)
$$1 < m < n, m > -\alpha p$$

$$2) \qquad \max(\mathbf{v}, \mathbf{p}) \leq \mathbf{q} \leq \mathbf{90}$$

2)
$$\max_{\mathbf{p}} (\mathbf{v}, \mathbf{p}) \neq \mathbf{q} \leq \mathbf{e} \mathbf{o} \neq \mathbf{g}$$
3)
$$\frac{\mathbf{n}}{\mathbf{p}} - (\mathbf{1} - \mathbf{k}) - \mathbf{e} \leq \frac{\mathbf{m} - \mathbf{e} \mathbf{c} \mathbf{o} \mathbf{p}}{\mathbf{q}} \neq \mathbf{e}$$

4)a) if
$$\frac{n}{p}$$
 -(1 - k) - ∞_0 (1 - $\frac{p}{q}$) + $\infty \frac{p}{q} \le 0$, then

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Some integral inequalities ...

$$- \propto \frac{p}{q} \le \beta < \frac{m}{q} \text{ (for } q = \infty : \beta = 0)$$

b) if
$$\frac{n}{p} - (1 - k) - \infty_0 \left(1 - \frac{p}{q}\right) + \alpha \frac{p}{q} > 0$$
, then

$$- \propto \frac{p}{q} \leq \beta \leq \frac{n}{q} + 1 - k + \alpha_{\beta} \left(1 - \frac{p}{q}\right) - \frac{n}{p} - \alpha_{\beta} \frac{p}{q}$$

Let $S_{\underline{m}}$ he a bounded domain in the intersection $D_{\underline{m}}$ of D with an n-dimensional hyperplane. Then the following inequality holds:

$$\| \mathbf{p}^{k}_{\mathbf{f} \cdot \mathbf{r}_{2}^{-\beta}} \|_{\mathbf{L}_{\mathbf{q}}^{(m)}(\mathbf{S}_{m})} < \mathbf{K}_{12} \| \mathbf{p}^{1}_{\mathbf{f} \cdot \mathbf{r}_{1}^{\infty}} \|_{\mathbf{L}_{\mathbf{p}}^{(n)}(\mathbf{D})}^{\frac{\mathbf{p}}{\mathbf{q}}} \|_{\mathbf{D}^{1}_{\mathbf{f} \cdot \mathbf{r}_{2}^{-\delta}}}^{\frac{1 - \frac{\mathbf{p}}{\mathbf{q}}}{\mathbf{q}}} \|_{\mathbf{L}_{\mathbf{p}}^{(n)}(\mathbf{D})}^{\frac{1}{\mathbf{q}}} \|_{\mathbf{D}^{1}_{\mathbf{p}}}^{\frac{1 - \frac{\mathbf{p}}{\mathbf{q}}}{\mathbf{q}}} \|_{\mathbf{L}_{\mathbf{p}}^{(n)}(\mathbf{D})}^{\frac{1}{\mathbf{q}}} \|_{\mathbf{D}^{1}_{\mathbf{q}}}^{\frac{1}{\mathbf{q}}} \|_{\mathbf{D}^{\mathbf$$

$$+ \kappa_{13} \| f \|_{L_{\bullet}^{(n)}(\mathbb{D})}^{\frac{m}{q} - \frac{n}{2} - k} \qquad \qquad \begin{cases} h^{-\beta} & \text{for } \beta = 0, \\ d^{-\beta} & \text{for } \beta = 0, \end{cases}$$

$$\begin{cases} h^{-\beta} & \text{for } \beta = 0, \\ d^{-\beta} & \text{for } \beta = 0, \end{cases}$$
 (47)

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Some integral inequalities ...

where $\mathcal{E} = \frac{m}{n} + \infty$ $\left(1 - \frac{p}{q}\right) + 1 - k \frac{n}{p} = \frac{p}{q} - \beta$

 $d = \sup_{\mathbf{T}_{2}} \mathbf{r}_{2}$, $0 < n \le \mathbf{R}$, \mathbf{K}_{12} and \mathbf{K}_{13} not depending on f, h, d.

The author mentions: Kh. L. Smolitskiy.

There are 9 Soviet-bloc and 5 non-Soviet-bloc references. The three references to English-language publications read as follows: G. H. Hardy, J. E. Littlewood, G. Polia, Neravenstva [Inequalities], Moskva, SSL, (1948); G. H. Hardy, J. E. Littlewood, Some properties of fractional integrals. I. Math. Zeitschr., 27, no.4, (1928), 565-606; L. Nirenberg, Estimates and existence of solutions of elliptic equations, Comm. pure and appl. Math., 9, no.3, (1956), 509 - 530.

SUBMITTED: July 4, 1959

Card 14/14

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S/517/61/064/000/002/006 D299/D301

16,4100

AUTHOR:

Il'in, V. P.

TITLE:

On the approximation of functions of the spaces $\widetilde{W}_{n}^{(1)}(D)$

and $W_{D}^{(1)}(D)$ by continuously differentiable functions

SOURCE:

Akademiya nauk SSSR. Matematicheskiy institut. Trudy.

v. 64. 1961, 61-78

TEXT: Sufficient conditions are given with respect to the region D of the n-dimensional Euclidean space E_n , under which the functions f, belonging to Sobolev's spaces \widetilde{W} and W, can be approximated by continuously differentiable functions. The space $\widetilde{W}_p^{(1)}(D)$ is defined as the totality of functions f(X) $(X = x_1, \dots, x_n)$ on D which have generalized derivatives (in the sense of S. L. Sobolev) of order L = [1] ([1] denoting the integral part of 1), satisfying the conditions:

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On the approximation ... $\frac{S/517/61/064/000/002/006}{D299/D301}$ $\frac{||f||_{L_p(y)}}{||f||_{L_p(y)}} = \left[\frac{1}{|(y)|} \frac{|f|(x)|^p dx}{|f|(x)|^p dx} \right]^{\frac{1}{p}} < \infty,$ $\frac{||f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|(x)|^p dx} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|(x)|^p dx} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|(x)|^p dx} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|(x)|^p dx} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|(x)|^p dx} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|(x)|^p dx}{|f|} \frac{1}{|f|} < \infty,$ $\frac{|f||_{L_p(y)}}{|f|} = \frac{1}{|f|} \frac{|f|}{|f|} \frac{1}{|f|} = \frac{1}{|f|} \frac{1}{|f|} = \frac{1}{|f|} \frac{1}{|f|} \frac{1}{|f|} = \frac{1}{|f|} \frac{1}{|f|} = \frac{1}{|f|} \frac{1}{|f|} = \frac{1}{|f|} \frac{1}{|f|} = \frac{1}{|f|} = \frac{1}{|f|} \frac{1}{|f|} = \frac{1}{|f|$

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On the approximation ...

$$|f|_{L_{p}^{(0)}(B)} = \sum_{i_{1},\dots,i_{j=1}}^{n} \left\{ \int_{-\infty}^{\infty} \left[\int_{-\infty}^{\infty} \left[\int_{-\infty}^{0} \left[\int_{-\infty}$$

if l is not an integer; (l is a non-negative number, $p \ge 1$). The space \widetilde{W} is linear and normalized. A subclass of functions is singled out from the class of functions, belonging to \widetilde{W} ; namely those functions which have, in D, all possible generalized derivatives to tions which have, belonging to $L_p(D)$. This subclass is denoted l-th order inclusive, belonging to $L_p(D)$. This subclass is denoted by $W_p^{(1)}(D)$. The problem is considered of approximating the functions $f \in \widetilde{W}$ and $F \in \widetilde{W}$, by a sequence of functions $W_p(X)$ ($V = 1, 2, \ldots$), belonging to $C^{(1)}(\overline{D})$, where $\overline{D} = D + \Gamma$ (Γ being the boundary of D). V Card 3/5

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On the approximation ...

If $D = E_n$, such an approximation can be effected with any degree of accuracy. If, however, D is not identical with the entire space En, the approximation is not always possible. In the references it was shown that for functions, belonging to \widetilde{W} , the approximation is possible if D is a bounded region which is starlike with respect to an interior point. In the present work, other sufficient conditions for D are found, under which the approximation is possible. In particular, the conditions are given, under which the spaces W and W coincide. Several lemmas are proved which lead to 3 fundamental theorems. The most important of these, is Theorem 2: Let 1 be a non-negative number, $p \gg 1$, and D a region of \mathbb{B}_n , satisfying the conditions: a) D has the property A(N,%) (which means that 2 finite systems of n-dimensional regions SN exist, each of which covers D); b) D belongs to $C(H, \sigma)$ if 1 is an integer, and to $C(H, \sigma)$, K, λ), if 1 is not an integer; $C(H, \sigma)$ means that D contains an n-1dimensional spherical sector with vertex X, radius H and solid

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On the approximation ...

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angle σ , for every KED; $C(H, \sigma, K, \lambda)$ implies a similar condition with respect to 2 points X and Y). Then: 1) the spaces $\widetilde{W}^{(1)}(D)$ and $W^{(1)}(D)$ coincide; 2) for each function $f\in \widetilde{W}$, there exists a sequence of functions $\psi_{\mathcal{C}}(X)$ which have continuous derivatives of any

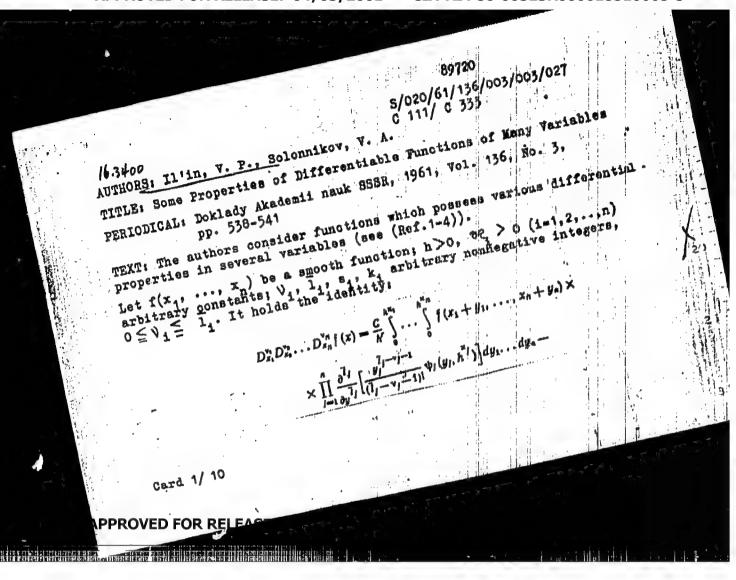
$$\lim_{V\to\infty} \|f - \Psi_V\|_{W_D^{(1)}(D)} = 0$$

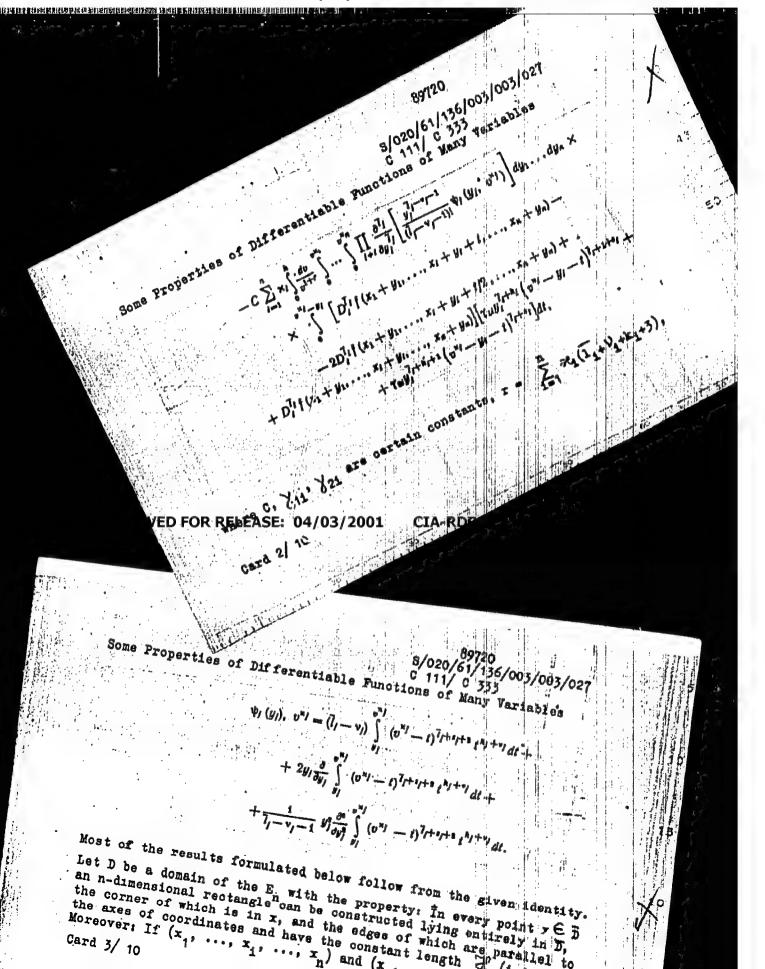
In conclusion, an example is given (taken from the references) which shows that the above approximation is not always possible (as condition A(N, H) was not satisfied). There are 9 references: 8 Soviet-bloc and 1 non-Soviet-bloc.

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Some Properties of Differentiable Functions of Many Variables

$$z \in \mathcal{M}_1, \ldots, \mathcal{M}_n$$

 $f \in \mathcal{M}$ $p_0 p_1 \cdots p_n$ can be continued, under remaining differential properties and norm, on the entire E (in the sense

$$\mathcal{Z}_{i} = \frac{1}{1_{i}} \left(1 - \sum_{j=1}^{n} \frac{1}{p_{j}^{1} j} + \frac{1}{p_{i}} \sum_{j=1}^{n} \frac{1}{1_{j}} \right) > 0.$$

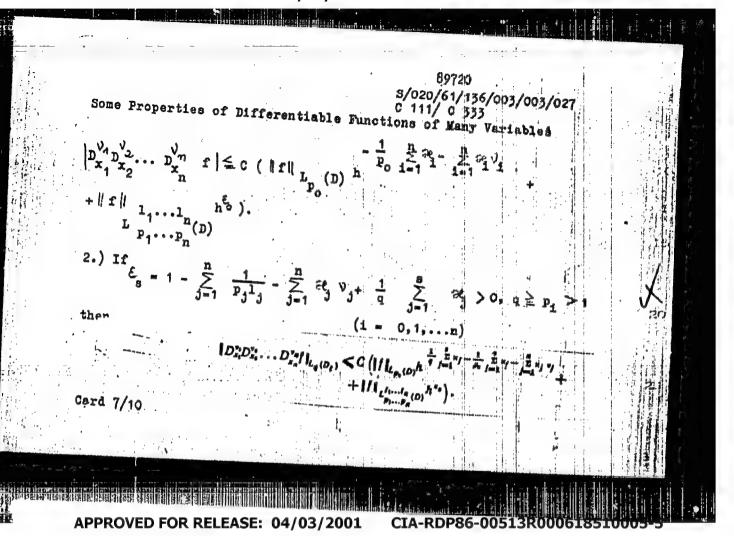
Theorem 3: Let

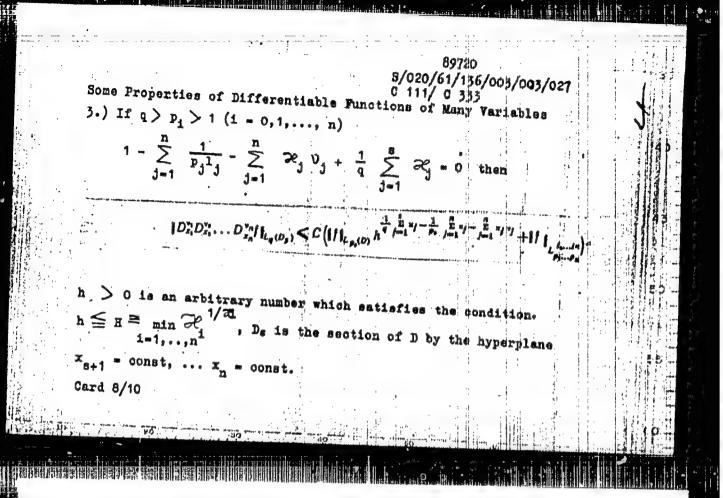
$$r \in \mathfrak{M}^{1_1 \cdots 1_n}$$
 (D). Then it holds:

1.) If
$$\mathcal{E}_0 = 1 - \sum_{i=1}^{n} \frac{1}{p_i l_i} - \sum_{i=1}^{n} \mathcal{R}_i V_i > 0$$
, then $f(x)$ is equivalent to a continuous function differentiable in \overline{D} and Card $6/10$

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Some Properties of Differentiable Functions of Many Variables

Theorem 4 is a further embedding theorem (an analogue of the theorem in (Ref.7) for the Sobolev spaces $W_{\rm D}^{\rm I}$).

Theorem 5 says that, if D is finite, the set {f} is bounded in

 $\mathcal{M}_{p_0p_1\cdots p_n}^{1_1\cdots 1_n}(D)$ and the condition 1) or 2) of

theorem 3 is satisfied, then the set

 $\left\{D \stackrel{v_1}{x_1} \cdots \stackrel{v_n}{D_{x_n}} f\right\}$ is compact in C or $L_q(D_g)$.

A similar statement refers to theorem 4.

Theorem 6 is a special case of part 3 of theorem 3 and theorem 4, if $D = E_n$ and $h = \infty$.

Card 9/10

89720

S/020/61/136/003/003/027 0 111/ c 333

Some Properties of Differentiable Functions of Many Variables Theorem 7 is a partially special inversion of theorem 6.

There are 7 references: 6 Soviet and 1 Italian.

ASSOCIATION: Leningradskoye otdeleniye Matematicheskogo instituta imeni V. A. Steklova Akademii nauk SSSR (Leningrad Branch of the Mathematical Institute imeni V. A. Steklov of the Academy of Sciences USSR)

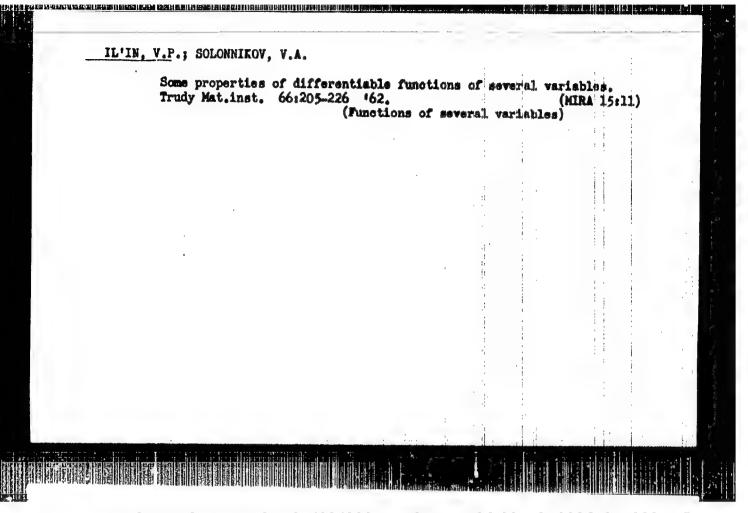
PRESENTED: July 28, 1960, by V. J. Smirnov, Academician SUBMITTED: July 21, 1960

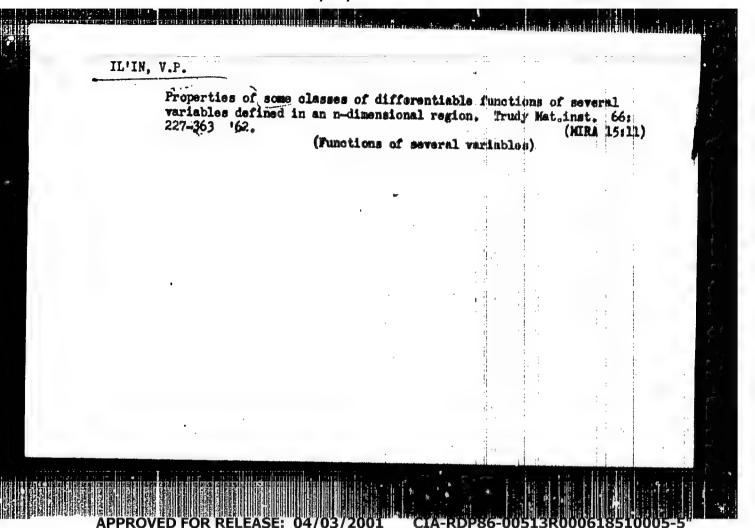
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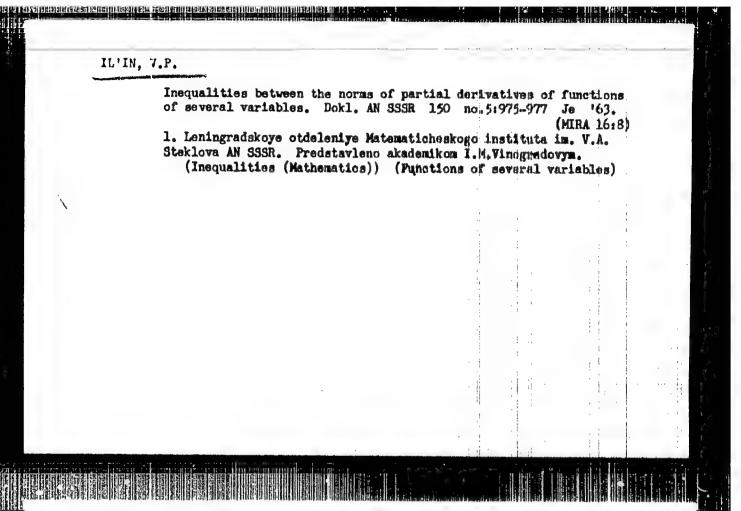
-IL'IN V.P.

Approximation of functions from $W_p(1)_{(D)}$ and $W_p(1)_{(D)}$ spaces by continuously differentiable functions. Dokl.AN SSSR 137 no.6:1283-1286 Ap '61. (MIRA 14:4)

1. Leningradskoye otdeleniye Matematicheskogo finstituta imeni V.A. Steklova AN SSSR. Predstavleno akademikom V.I.Smirnovym. (Functional analysis)



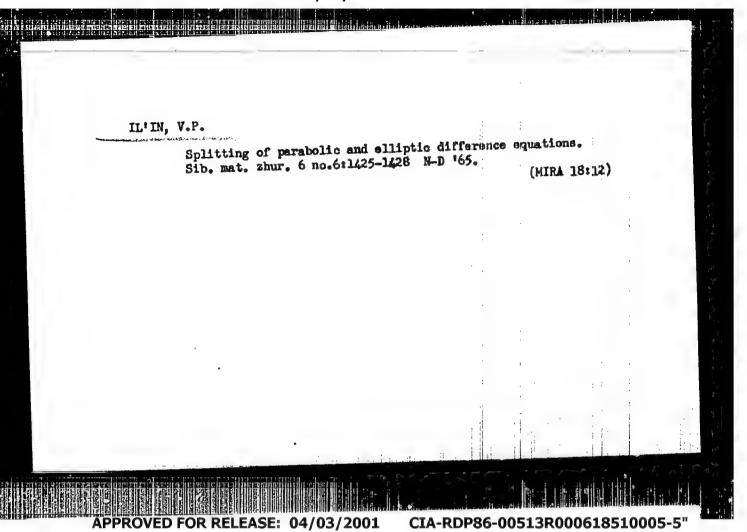




IL'IN. V.P.

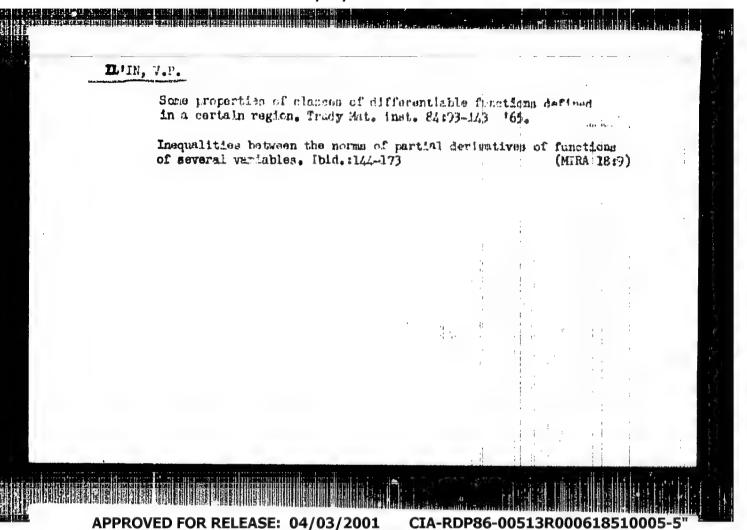
Some inequalities between the norms of partial derivatives of functions of several variables. Dokl. AN SSSR 152 no.2:262-265.S '63. [MIRA 16:11]

1. Matematicheskiy institut im. V.A. Steklova AN SSSR. Predstavleno akademikom I.M. Vinogradovym.



L 28170-66 ENT(m)/ENA(3)/ENP(v)/T/ENP(1) ACC NR. AP6010139 (A) S0	METITARE	1 1 1 1 1 1 (z)	51/000/003/40x1	0014	10
AUTHOR: 11 in, V. P.; Razikov, H. I.	PQ (Sheap : Service of €			35	
ORG: Ural Polytechnic Institute im. S. H. stitut)	Kirov (Ure	al'sily po	Litekhalchaskiy	in-	
TITLE: Effect of thermal cycle of welding	on the pro	opar Les s	nd phase campon	tion	i,
of 30Kh10G10 chromium-manganesa steel	14			/ 'b	100
SOURCE: Avtomaticheskaya svarka, no. 3, 1 TOPIC TAGS: austenitic steel,			mese steel, ar		100
welding, thermal effect, cooling rate, / 30Kh10G10 austenitic steel	70-140-1-110 to seem 1, or 1	pli	ase composition	/	7
ABSTRACT: 30Kh10Gl0 austenitic metastable tation-resistant and finds application as	a protectii	ve chiting	for low-citybon	and	7
low-alloy metal of the parts of hydraulic above 600°C, however, its structure become properties. Hence it was of interest to in	machinery : es unstable	and uniter , which at	Eucts its recha	neaced	
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lating the effect of the thermal cycle of	airgle-pus	a art. Yea	Indl the detriv		
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2001/01/05 ACC NR: AF6010139 temperature was 1350-1400°C and the cooling rate varied within the limits of from 600 to 0.15°C per sec in the 750-650°C range. In this case the time of stay of specimens of this steel (3-5 am thick sheets) in the dangerous temperature range (800-600°C) is determined by their cooling rate. The lower the cooling rate is, the greater the effect of the thermal cycle on the mechanical properties and plane composition of the metal. Findings: at a cooling rate of lans than I C/suc the impact strength of the specimens drops sharply, although their ultimate strength remains almost the same whether the cooling rate is 600 C/sec or 0.15° 6 sec. At egoling rates of from 600 to 40°C/sec hardness changes insignificantly dat and units to ~450 kg/mm2, but if the cooling rate is further reduced (to 1,2°C/sec) | hardness begins to increase and reaches 290 kg/mm2, but below 1.2°C/sec it dearmises spain, evidently owing to the congulation and precipitation of fine-disperse carllines. Radiographic examination showed that the decrease in the impact strength of Duhicelo stool is due to both the decomposition of austenite with segregation of a and or phason and the precipitation of carbides at grain boundaries with consequent of brain boundaries. These structural transformations (Y - e - cr, with all mate segregation of carbide phase) account for the deterioration in the planticity and impart attength of the metal. Thus, the welding regime of 30Kh10010 steel houls be such as to assure a cooling rate of at least 1°C/sec; hence, during single-pass welding of 30th10010 sheet steel (3-5 mm thick) the linear energy should not exclude 2303-2500 chi/cm, i.e. this steel should be welded at minimal current intensity and high spend. Orig. art. has: 4 figures, 3 tables. SUB CODE: -11, 13/ 10/ SUBM DATE: 30Nov64/ ORIG REFE

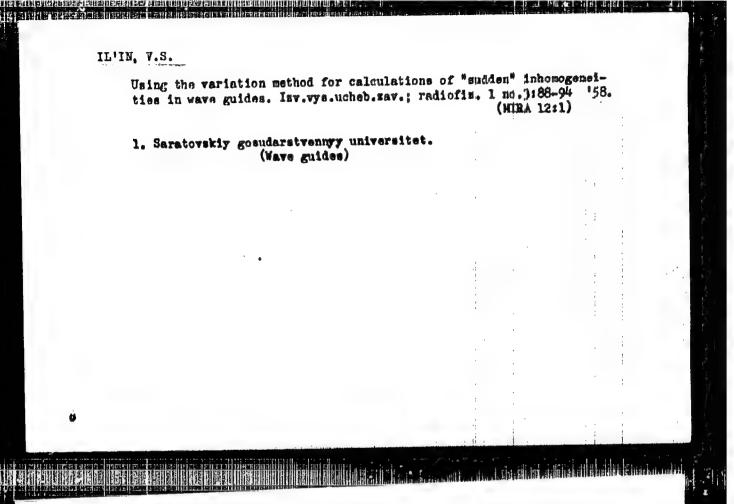


IL'IN V. S.

"The Structure and Functional-Mechanical Properties of the Wood of Various Forms of Birch as Distinguished by Its Bark." Eand Agr Sci, Leningrad Order of Lenin Forestry Engineering Acad inent S. M. Korov, Leningrad, 1954. (KL, No 7, Feb 55)

So: Sum. No. 631, 26 Aug 55- Survey of Scientific and Technical Dissertations Defended at USSR Higher Educational Institutions (14)

ILVIIH, V. S.		receivers Blutilized to the flow of	Use of CTs-6-M appurer long distance obsages would enta an uneconomical exideveloped a method	*Festnik Syyazi	for Two-way Il'yin, Engl of the Nords Commissariat	USSR/Badto Res	
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	1911te	i others could be so amplification of	d) Jan 1946	lack of volume Amplifier apparatus and 1. I. S. Suskin andard battery 19712	No 1 (70)	of Radio Cemters cation, 7. S. elephone Section e People's	9.00 mg.



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S/141/60/003/004/013/019 E192/E382

AUTHOR: Il'in, V.S.

TITLE: Variation Method of Calculating the Symmetrical Quadripole Discontinuities in Rectangular Radio

Waveguides 25

PERIODICAL: Izvestiya vysshikh uchebnykh zavedeniy, Radiofizika, 1960, Vol. 3, No. 4, pp. 683 - 693

TEXT: The Schwinger variation method was employed by Il'in (Ref. 1) to analyse the discontinuity encountered when joining two rectangular waveguides of different heights. In the following the method is extended to the case when the waveguides are coupled by means of a grid-like diaphragm having a finite length. The system considered is shown in Fig. 1. The grid-like discontinuity has a thickness I. It is assumed that in the axis y (perpendicular to the plane of the drawing), the system is uniform and is bounded by two walls situated in the planes y = 0 and y = d. Consequently, the problem should be solved for the E-plane of the waveguide. Moreover, it is assumed that the losses in the media filling the waveguides I and II, the channels of the discontinuity Card 1/5

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S/141/60/003/004/013/019 E192/E382

Variation Method of Calculating the Symmetrical Quadripole Discontinuities in Rectangular Radio Waveguides

and the walls are negligible. The spacings b (Fig. 1) are chosen so that only the dominant waves of the type $H_{\rm con}$ are

propagating in the two waveguides. The electric field components in the regions 1, 2, 3, ..., I and II can therefore be

expressed by Eqs. (1), where the propagation constants are defined by Eqs. (2). R and T in the above equations represent the reflection and transmission coefficients with respect to the terminal planes z=0 and z=L. By comparing the field components at z=0, a set of formulae represented by Eqs. (3) is obtained. A similar procedure for z=L leads to Eqs. (4). The magnetic field component H_V

can be determined from Eq. (5). The comparison of the magnetic field components at z=0 and z=L leads to a system of two integral equations which are expressed by Eqs. (6) and (7).

Card 2/5

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S/141/60/003/004/013/019 E192/E382

Variation Method of Calculating the Symmetrical Quadripole Discontinuities in Rectangular Radio Waveguides

These can be cransformed by addition and subtraction so that two different integral equations are derived; these are given by Eqs. (8). Further transformation of Eqs. (8) can be effected by introducing the notation defined by Eqs. (9). From Eqs. (3), (4) and (9), it is possible to derive Eq. (10).

By multiplying Eqs. (8) by E⁻⁽⁺⁾ and then integrating them over O to b and taking into account Eq. (10), the relationship between R and T can be expressed by Eqs. (11). These represent two quadratic functionals. The problem now consists of finding stationary points of the functionals given by Eqs. (11). In other words, it is necessary to solve a variation problem. The functions E can be represented in the form of the series given by Eqs. (12), where the coefficients a can be defined from the conditions expressed

by Eqs. (13). The functions $E^{-(+)}$ can be approximately expressed by Eq. (14). Consequently, the functionals can be

Card 3/5

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Variation Method of Calculating the Symmetrical Quadripole Discontinuities in Rectangular Radio Waveguides

written in the form of Eqs. (15). It is now possible to determine the equivalent circuit of the discontinuity. This is represented by T-type network shown in Fig. 2. The impedances of this network are expressed by:

$$z = \frac{1 + R - T}{1 - R + T}$$
; $z + 2Z_w = \frac{1 + R + T}{1 - R - T}$ (16).

On the other hand, by comparing Eqs. (15) and (16) it is found that the impedances can be determined from Eqs. (17). Eqs. (11) and (15) are employed to analyse some special cases. First, the case of L = 0 is investigated (Fig. 3a). Other cases which can be analysed by employing the above method are illustrated by the remaining sketches in Fig. 3. It is finally pointed out that a similar method can be employed to analyse the H-plane in waveguide systems.

Card 4/5

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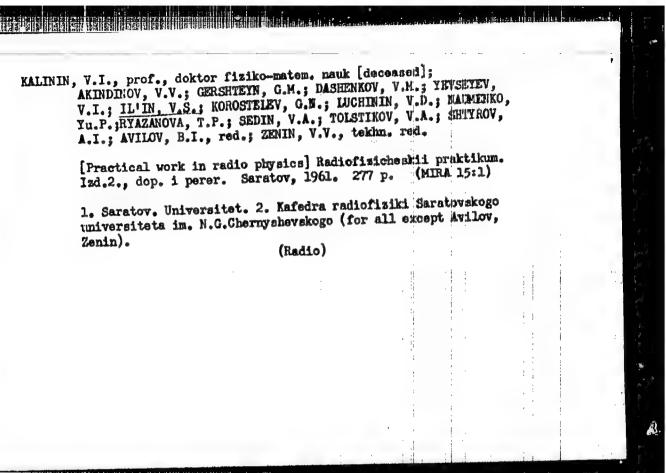
Variation Method of Calculating the Symmetrical Quadripole Discontinuities in Rectangular Radio Waveguides

This paper was presented at the Third All Union Conference MVO SSR on Radioelectronics.

There are 3 figures and 7 Soviet references, 1 of which is translated from English.

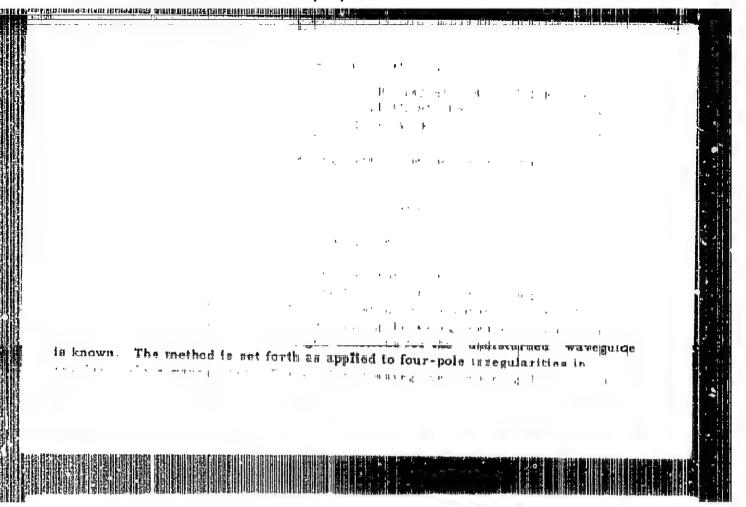
ASSOCIATION: Saratovskiy gosudarstvennyy universitet (Saratov State University)

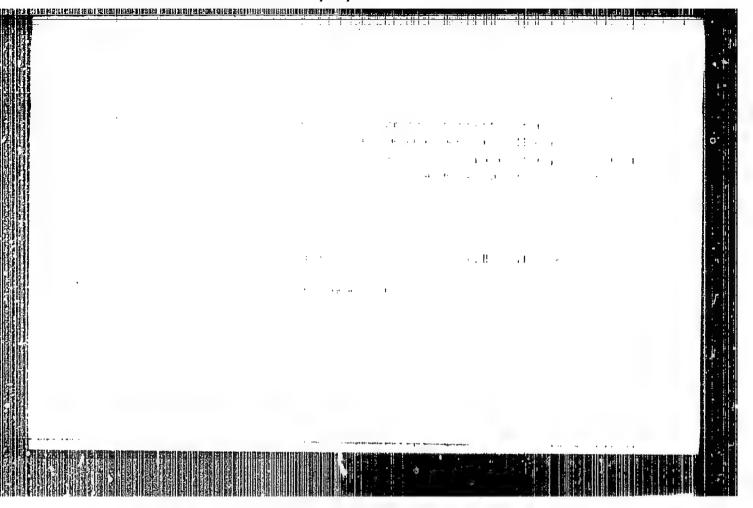
SUBMITTED: March 19, 1960

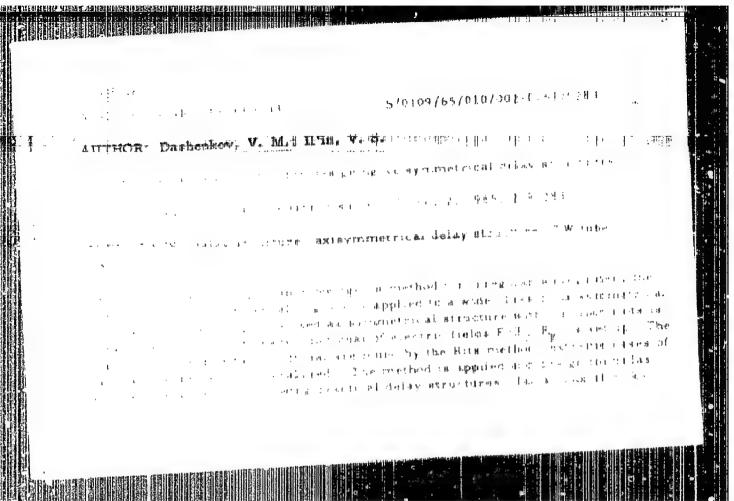


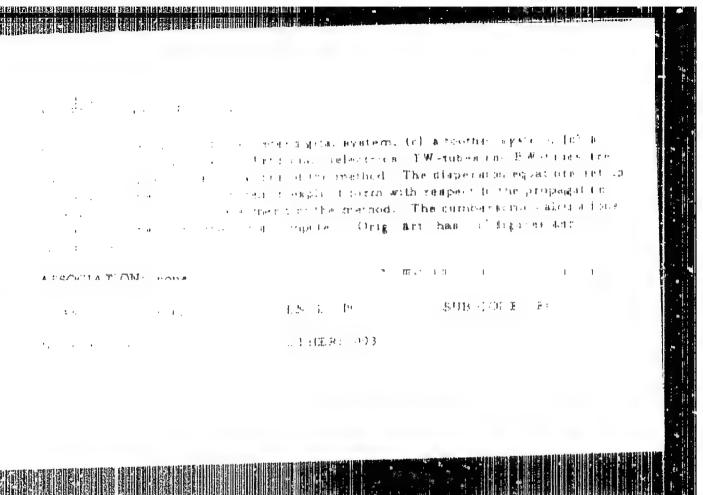
Sulftyaryl groups of yeast nexchinane: their role in catalysis and in hormone action on enzyme activity. Vop.med.Vbim. 10 no.2:214-216 Mr-4p (MIRA 18:1)

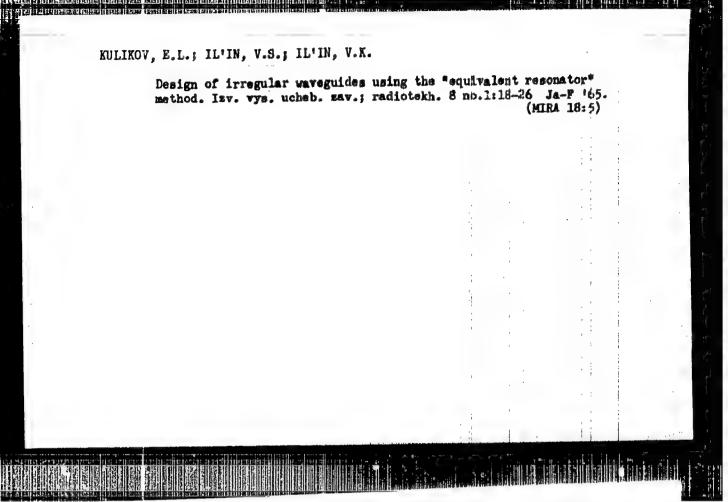
2. Ottel bioknimii Instituta eksperimental noy meditsiny ANN SSER, Leningrad.



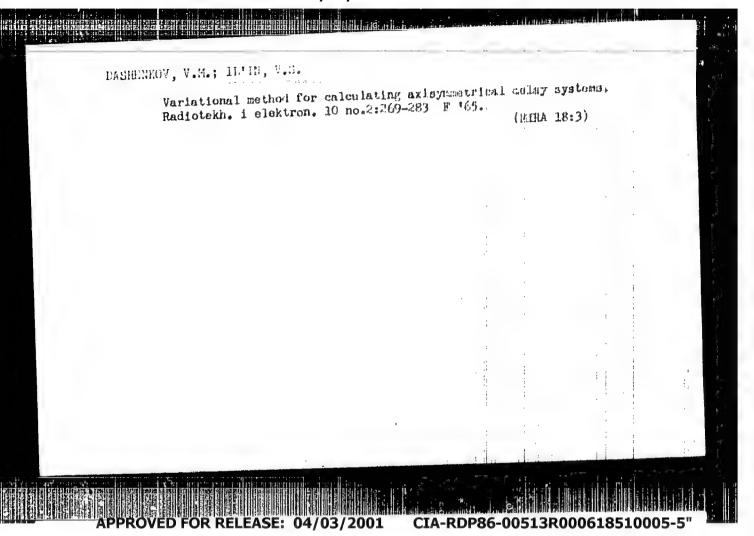








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_IL'IN, V.S.; STEPANOVA, N.G.

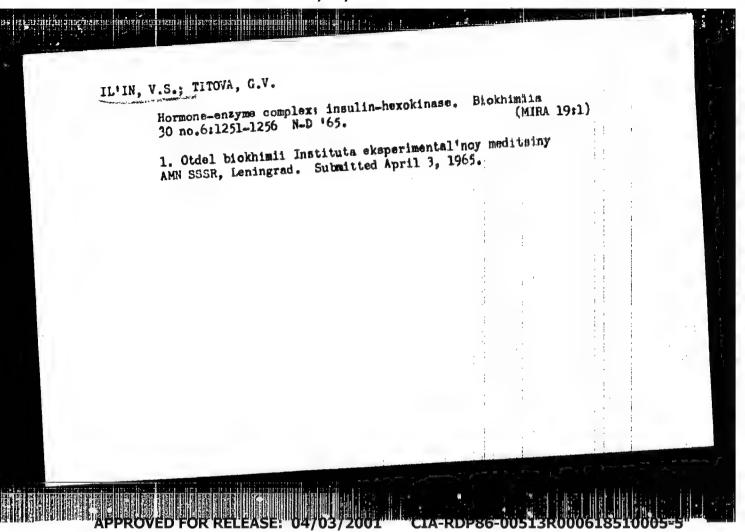
Activity of hexokinase, glucose-6-phosphate dehydrogenase and glucose-6-phosphatase of liver cell fractions in rabbit embryos and full-grown animals following introduction of glucocorticosteroids. Vop. med. khim. 10 no.6:576-584 N-D 164.

1. Otdel biokhimii Instituta eksperimental ncy meditsiny AMN SSSR, Leningrad.

DOKUSOVA, O.K.; IL'IN, V.S.

Changes in energy metabolism in the liver of chickens with biotin deficiency. Biokhimiia 29 no.5:854-862 Jl-Ag *64. (MIRA 18:11)

1. Otdel biokhimii Instituta eksperimental noy meditsiny AMM SSSR, Leningrad.

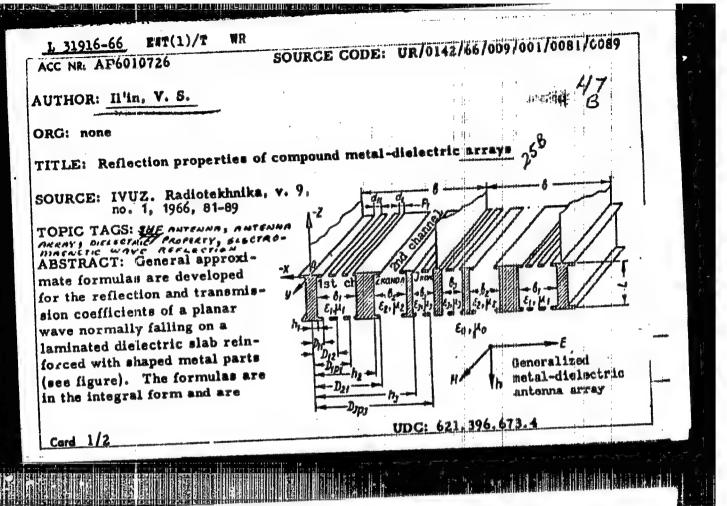


EWT(1)/ZWA(h) L 2608-66 ACCESSION NR: AP5020134 UR/0109/65/010/008/1540/1542 621.517.34 TITLE: Measuring the coupling resistance of delay systems by million of dielectific barc SOURCE: Radiotekhnika i elektronika, v. 10, no. 8, 1965, TOPIC TAGS: delay system 15 ABSTRACT: A measuring technique is suggested which permits easy liktermining of squared spatial harmonics of the longitudinal and transverse components of the standing-wave electric field \vec{E}_{-}^{2} and \vec{E}_{-}^{2} for substituting them into this formula $\vec{t}_{-}^{2} = a_{-}^{2} E_{-}^{2} + a_{-}^{2}(\theta) E_{-}^{2}$. The formula gives the relative defaulting of a delay system caused by insertion of a thin isotropic dielectric part of and of are the bar polarizabilities; heta is the angle between the transferred commonent hetaand the x-axis. In order to determine the above spatial halthoulds, it is recommended to measure the maximum and minimum detunings for perpendicular orientations of the probe with respect to E. . The formulas word worlfiel exartmentally on an interdigital delay system consisting of 52 study into which a Card 1/2

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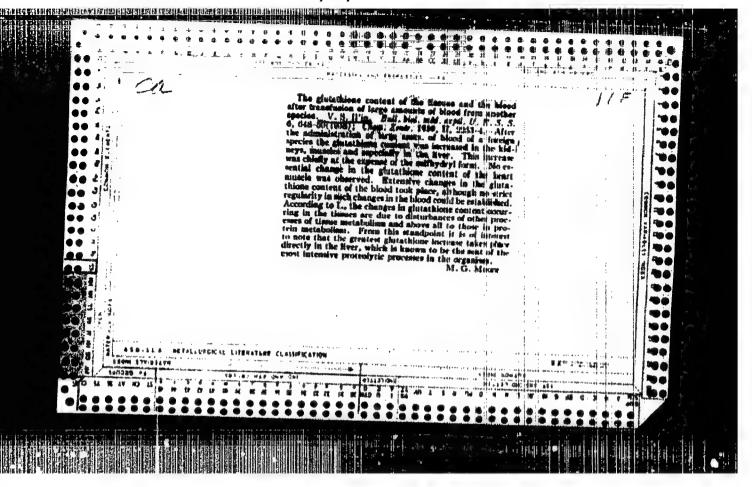
27677-66 ENP(k)/ENT(1)/T ACC NR. AP600752 SOURCE COURT UR/0141/66/009/001/0016/0032 AUTHOR: Livin, V. S.; Kostyunina, G. P. ORG: Saratov State University (Saratovskiy gosudarstverny universitet) TITLE: Diffraction of electromagnetic waves by ultraschip waves in aniso popic media -- Part 1 SOU USE: IVUZ. Radiofizika, v. 9, no. 1, 1966, 16-32 TOPIC TAGS: electromagnetic wave diffraction, ultrasonic diffraction ABSTRACT: Diffraction patterns have been calculated by relving a scalar problem for the Fraunhofer zone; space effects in the medium, interface-reliection effects, etc. have not been fully accounted for (P. Debye, Ber. Sach. Akad. Wiss., v. 84, 125, 1932; C. Raman, N. Nath, Proc. Ind. Inst. Sc., 3(A), 75, 1936). The present article uses the variational method for studying the transmission of electromignetic waves through an anisotropic layer (a crystal) whose dielectric constant is modulated by ultrasonic . waves. Formulas for the diffraction field in both near and remote somes are developed. It is proven that, for the near zone, the system can be described by a diffusion matrix S of a 2(N + 1)-terminal network; this permits using the matrix method of circuit theory for studying various cascade connections of such devices. The above formulas cover, as particular cases, the classical formulas of scalar diffraction in an isotropic layer. Orig. art. has: 1 1 \gure and #0 formalas. SUB CODE: 20, 09 / SUBM DATE: 19Jul65 / ORID REF: 0/9 / OTH REF: 007

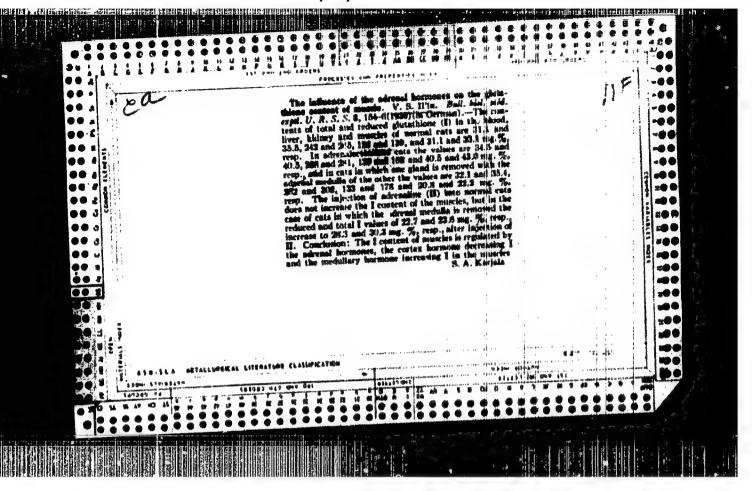


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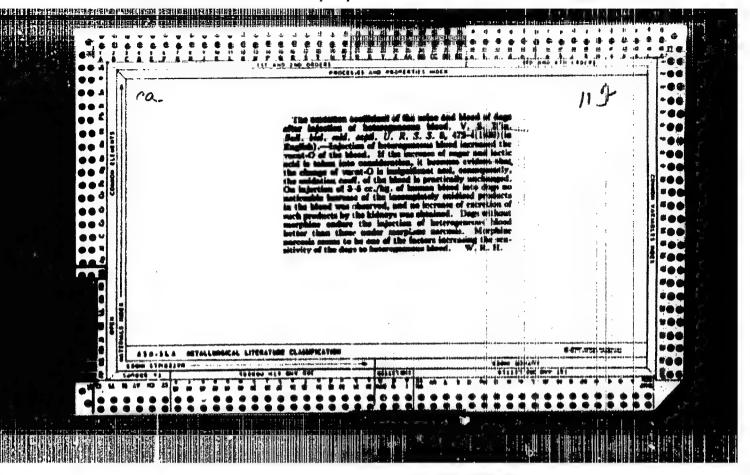
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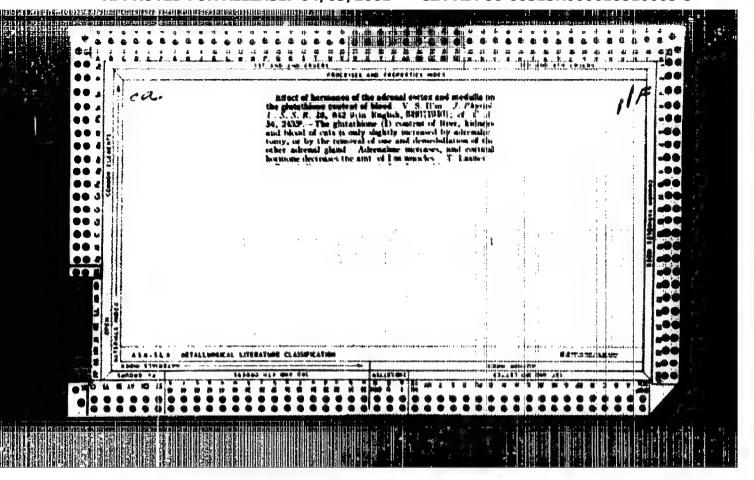
SOURCE CODE: UR/O 169/64/011/003/04/11/0476 L 27660-66 ACC NR: AP6008184 AUTHOR: Dashenkov, V. M., Il'in, V. S., Mavrotskaya, Yu. M ORG: none TITLE: Calculating natural frequencies of axially-symmetrical resonators and critical wavelengths of regular waveguides SOURCE: Radiotekhnika i elektronika, v. 11, no. 3, 1966, 471-476 TOPIC TAGS: resonator, waveguide AESTRACT: The field structure in some periodic waveguides is such that description of the delay system, with $\varphi = 0$ and $\varphi = \pi$, can be reduced to consideration of the resonators whose configuration is determined by the geometry of one section of the delay system. Hence, the delay-system dispersion equation can be wand for calculating the natural frequencies of such resonators. In an extreme case, when the radii of the delay system approximate infinity, the axially-symmetrical resonator "degenerates" into a shaped regular waveguide. Authors formulas developed earlier (Rad. 5. elektronika, 1965, v. 10, no. 2, 269) for axially-symmetrical delay systems are adopted for single-ridge waveguides; this method is illustrated by a calculation of fundamental TE-mode in such a waveguide. Orig. art. has: 3 sigures, 35 formulas, and SUB CODE: 09 / SUBM DATE: 18Nov64 / ORIO REF: 004 / OTH REF:000 Card 1/1

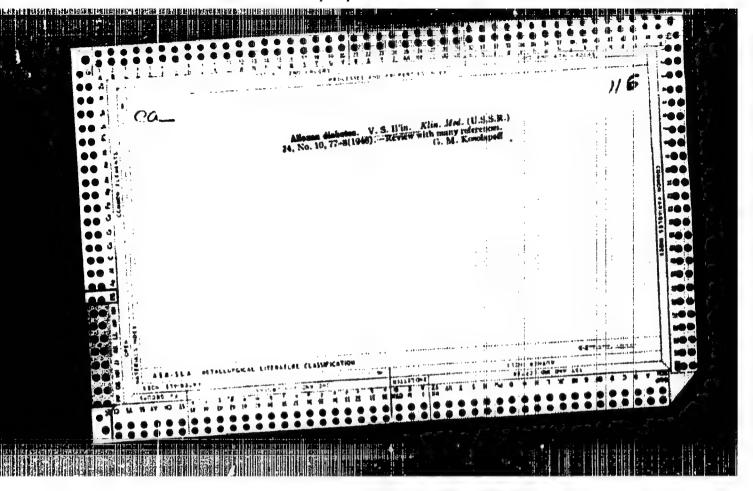




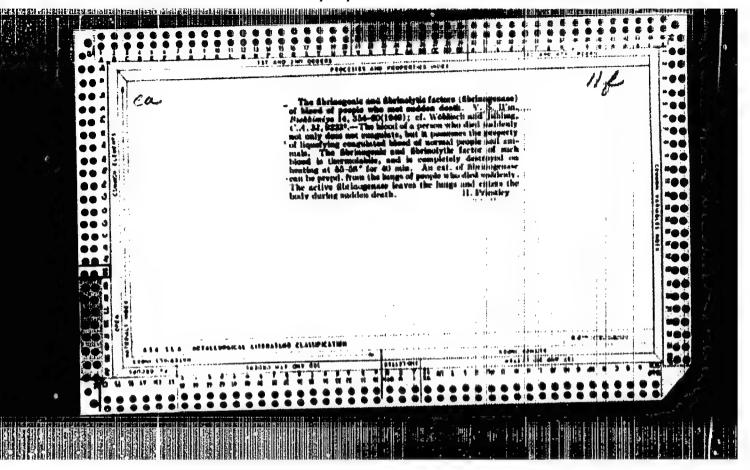
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REDITION RELEASE: U4/03/2 PE 1/50104 IL'IN, Fibrin, Fibrinogen ... "Fibrinogenase," V. S. Il'in, Leningrad "Uspekh Sovrem Biol" Vol XXVI, No 3 (6) Tests with blood obtained from corpses and from living organisms proved that fibrinogenase does not convert fibrinogen to fibrin; Transition occurin another albumin (or other albumins) and there is no coagulation under the influence of throubin Name "Fibrinogenodestructase" is considered sore proper on strength of above tests.



U.S.S.R. / Human Animal Physiology. Metabolism.

T

Abs Jour: Ref Zhur-Biol., No 5, 1958, 21837.

: Institute of Experimental Medicine-Academy of Author

Inst Medical Sciences, J.S.S.R.

: Regulation of Energy Metabolism and Its Mechanism. Title

Orig Pub: Yezhegodnik-Inst. Experim. Med. Nauk 1955,

L 1956, 189-204.

Abstract: Resume: The significance of the process of oxidizing phosphorylation and of different enzyme

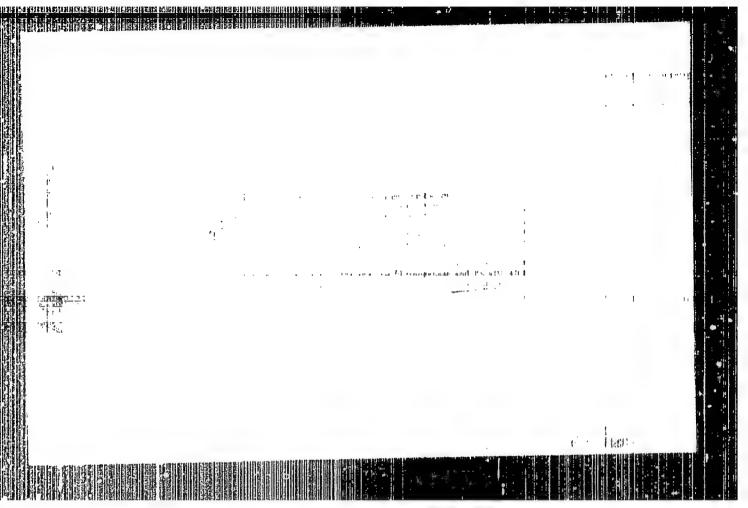
systems partaking in this process was considered in reference to energy metabolism of the cell.

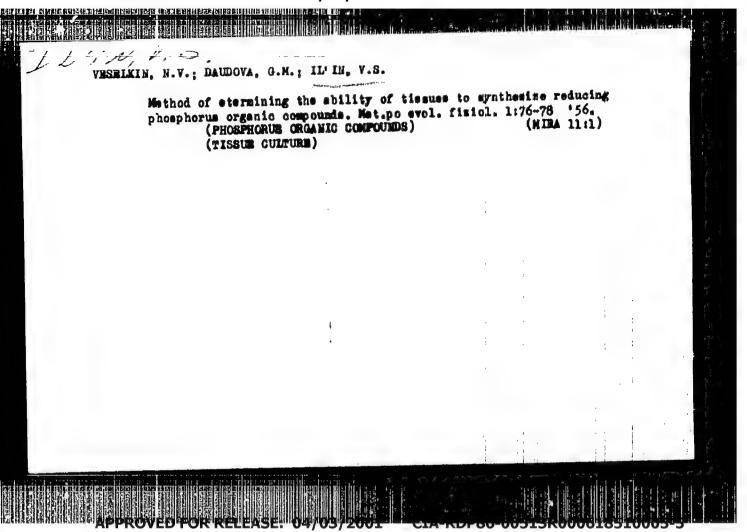
Data were furnished concerning changes of

these factors by elevation of body temperature

and starvation.

Card 1/1





USSR / Human and Animal Physiology (Normal and Patholo-T gical). Blood. Blood Pressure. Hypertonia

Abs Jour: Ref Zhur-Biologiya, No 21, 1958, 97574

Author : Veselkin, N. V., Il'in, V. S.

: Not given Inst

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: Synthesis of Ethero-Sulfuric Acids in an Organism After Denervation of the Liver Title

Orig Pub: V Sb.: Materialy po evolyuts. fiziologii, T. I. M.-L., AN SSSR, 1956, 85-90

Abstract: No abstract

Card 1/1

IL'IN, V.S.; TITOYA, G.V.

Mechanism of the action of insulin on the hexokinase reaction.

Vop.med.khim. 2 no.3;203-209 kg-de '56. (MLRA 9;10)

1. Otdel biokhimii Instituta eksperimental'noy meditsiny AME SSE,

Leningrad

(INSULIM, effects,
on hexokinase (Rus))

(TRAMPHOPHENTIASE,
hexokinase, eff. of insulin (Rus))

IL'IN, V.S.; TITOVA, G.V.

Relation of hexokinase-inhibiting properties of A-lipoprotein fraction of blood serum to cortisone and insulin. Vop.med khim. 2 ne.4: 243-251 J1-Ag 156. (MIRA 9:10)

1. Otdel biokhimii insituta eksperimental noy meditsiny ANE SSSR. Leningrad.

(BLOOD PROTEINS.

B-lipoprotein fractions, inhib. of hexokinase, eff. of cortisone & insulin (has))

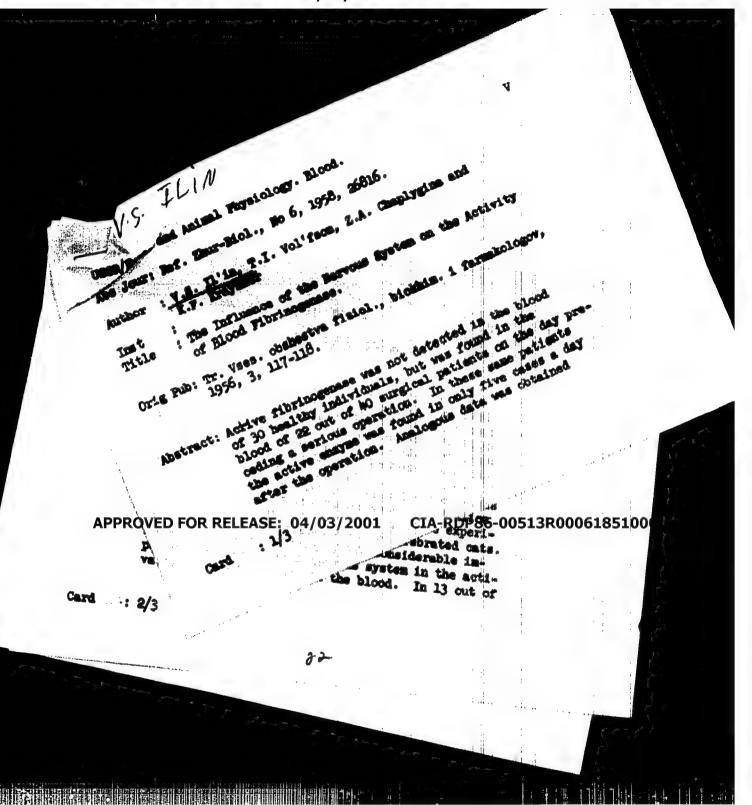
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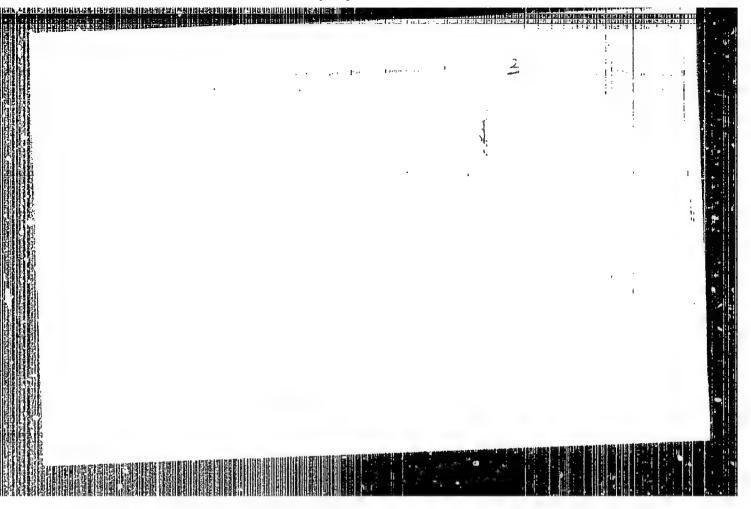
hexokinase, inhib. by blood / -lipoprotein fractions. eff. of cortisons & insulin (Rus))

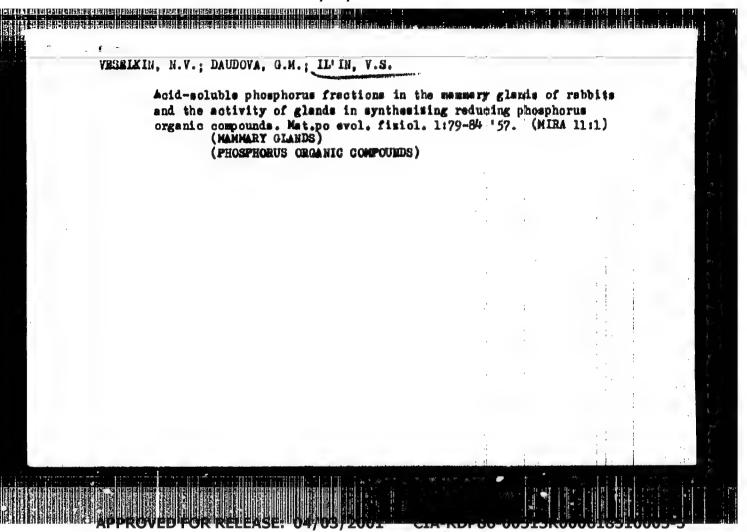
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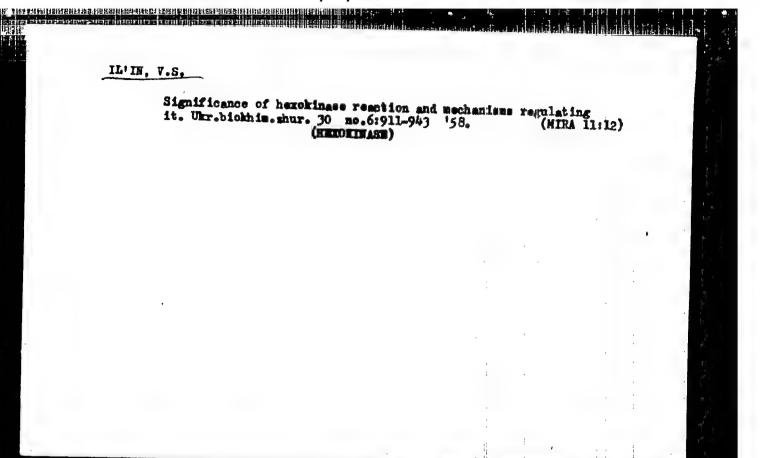
same)

56-00513R000618510005

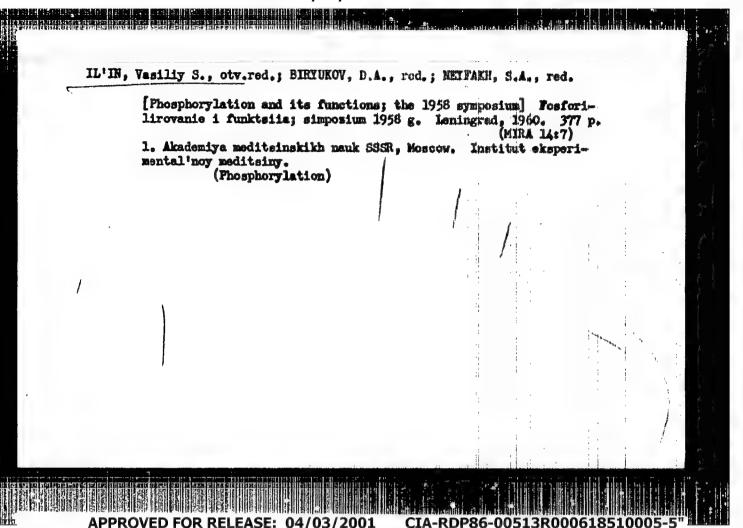








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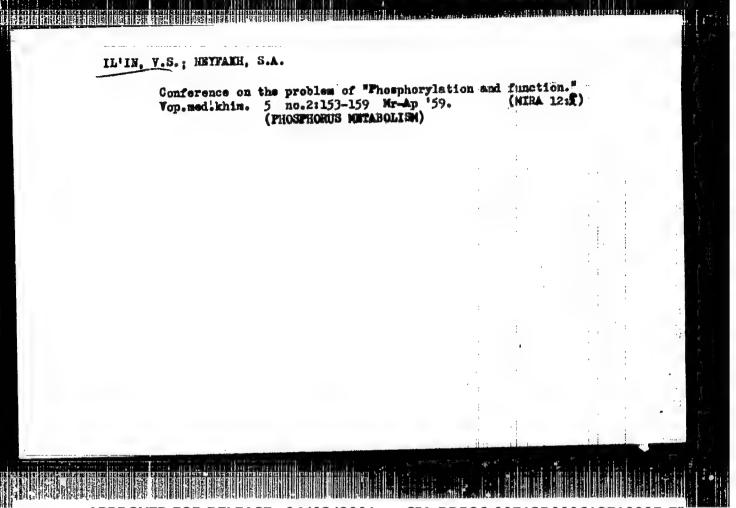


KHARAUZOV, N.A., prof., glavnyy red.; MIKHAYLOV, V.P., prof., gamestitel'
glavnogo red.; BIRYUKOV, D.A., prof., otv.red.; AVETRIAN, B.G.,
doktor biol.nauk, red.; ANICHKOV, N.W., akadenik, red.; ANICHKOV,
S.V., prof., red.; ARBUZOV, S.Ya., prof., red.; VESHIKIN, P.N.,
prof., red.; VOYNO-YASHETSKIY, N.V., prof., red.; DANILOV, I.V.,
kand.biol.nauk, red.; EHABOTINSKIY, Yu.M., prof., red.; EHINKIN,
I.N., prof., red.; IL'IN, V.S., red.; IOFFN, V.I., prof., red.;
KARASIK, V.M., prof.; red.; KUPALOV, P.S., prof.; red.; MANIMA, A.A.,
kand.med.nauk, red.; NEYPAKH, S.A., doktor bicl.nauk, red.; RIKKL',
A.V., prof., red.; SVHTLOV, P.G., prof., red.; SMCRODINTSEV, A.A., prof.,
red.; CHISTOVICH, G.N., doktor med.nauk, red.; RESEDIN, I.K., tekhn.

[Yearbook of the Institute of Experimental Medicine of the Academy of Medical Sciences of the U.S.S.R. for 1958] Eshagodnik sa 1958 god., Leningrad, 1959. 538 p. (MIRA 14:1)

1. Akademiya meditsinskikh nauk SSSR, Moscow. Institut eksperimental'noy meditsiny. 2. Chleny-korrespondenty Akademii meditsinskikh nauk SSSR (for Biryukov, Veselkin, Il'in, Ioffe, Karasik, Svetlesy Smorodintsev). 3. Deystvitel'nyye chleny Akademii meditsinskikh nauk SSSR (for Anichkov, S.V., Kupelov).

(MEDICINE, EXPERIMENTAL)



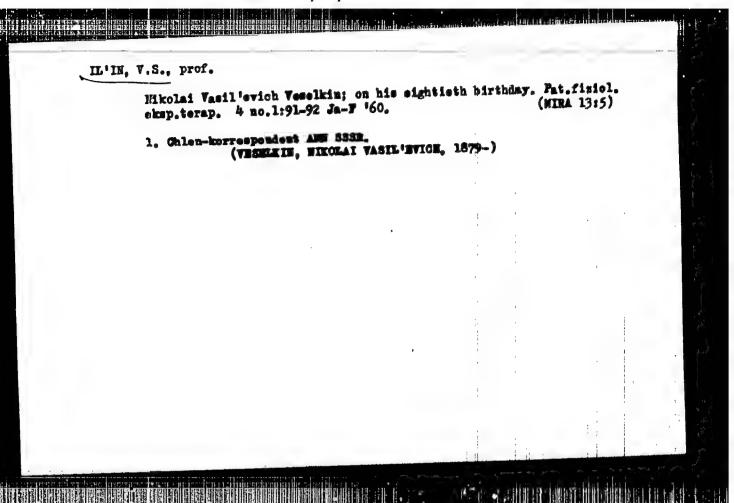
ILIN, V. S. (Prof.)

HARET AND ENTRY OF THE STATE OF

"Regulation hormonale de l'activite glucokinasique du foié."

report aubmitted for the 1st Intl. Symposium on Coris Ester and Phosphorylated Glucides, 16-18 Sept 1960, Milan, Italy

Director, Inst. Exptl. Medicine, Acad. Med. Sci. USSR



CIA-RDP86-00513R000618510005-5

IL'IN, V.S.; SHANYGINA, K.I.

Hormonal regulation of the hexokinase reaction in the liver. Vop. med. khim. 6 no.3:291-300 My-Jo '60. (MIRA 14:3)

1. Otdel biokhimii Instituta eksperimental'noy meditsiny Akademii meditsinskikh nauk SSSR, Leningrad. (DIABETES)

(LIVER) (HEXOKINASR) (DIABETES)

(CORTISONE) (INSULIH)

IL'IN, V.S., TRYPFANOV, V.F.

Incorporation of Methionine-835 in liver proteins of rats with allowan diabetes under conditions of a block or "cfroumvention" of the glucokinase reaction. Vop.med.khim. 6 no.4:386-389 Jl-Ag 160. (MIRA 1413)

1. Department of Bischemistry, Institute of Experimental Medicine, the U.S.S.R. Academy of Medical Sciences, and Chair of Bischemistry of the S.M. Kirov Institute for Postgraduate Medical Training, of the Leningrad.
(DIABETES)

(METHIONINE) (PROTEIN METABOLISM) (LIVER)

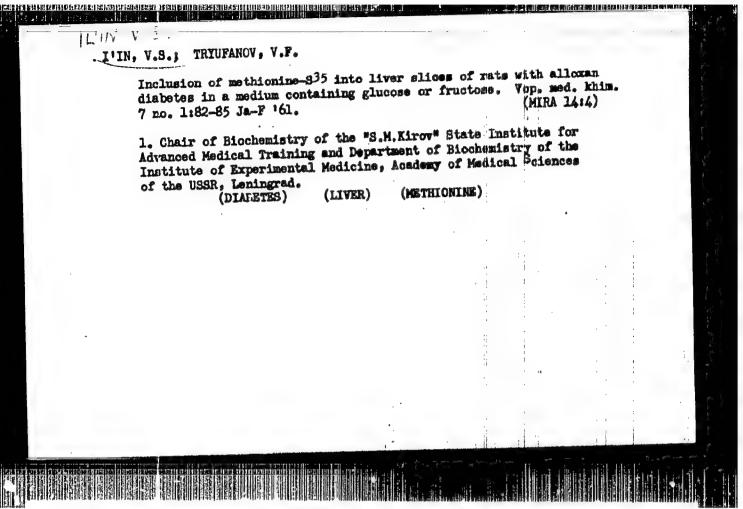
CIA-RDP86-00513R00061

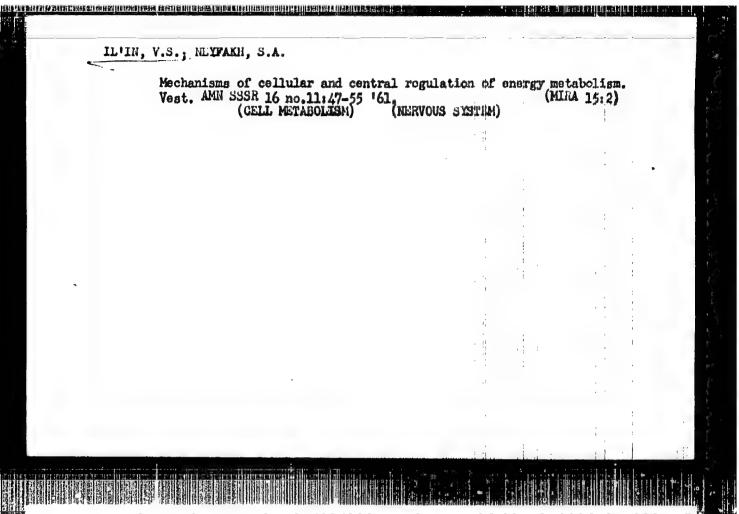
ILIN, V. S., TRUFANOV, N. F., SHANCINA, K. I. (USSR)

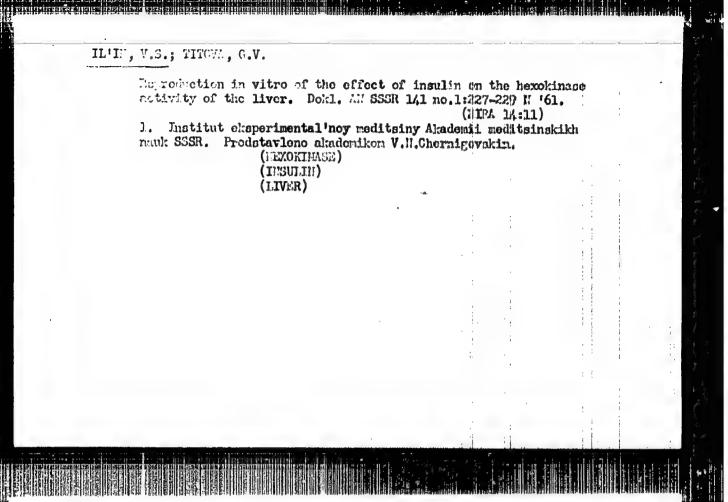
"The Inclusion of 358 Methionine into Proteins of the Liver in Block and -Circumvention- of the Glucokinase Reaction."

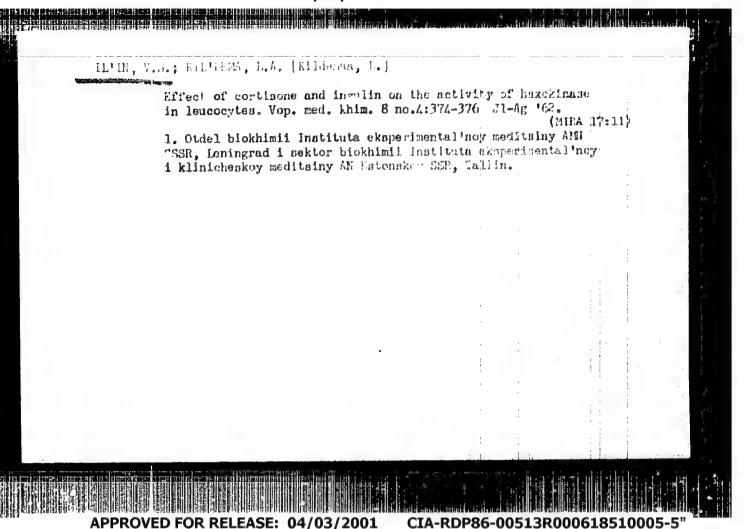
Report presented at the 5th International Biochemistry Congress, Moscow, 10-16 Aug 1961

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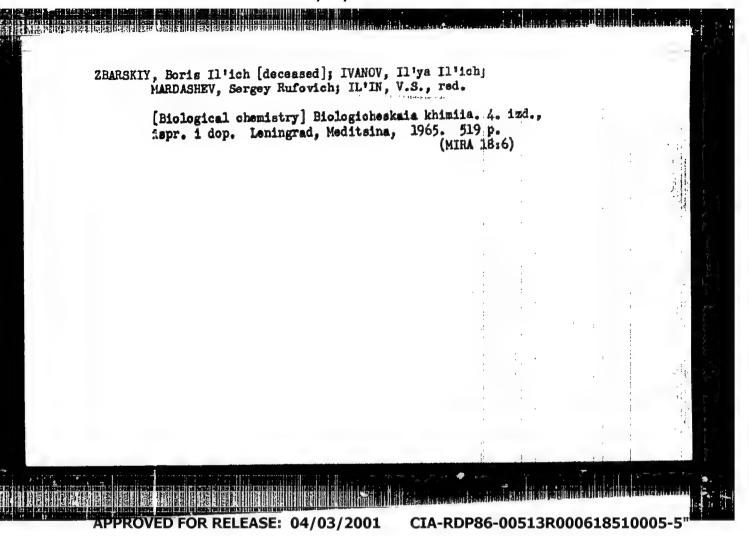


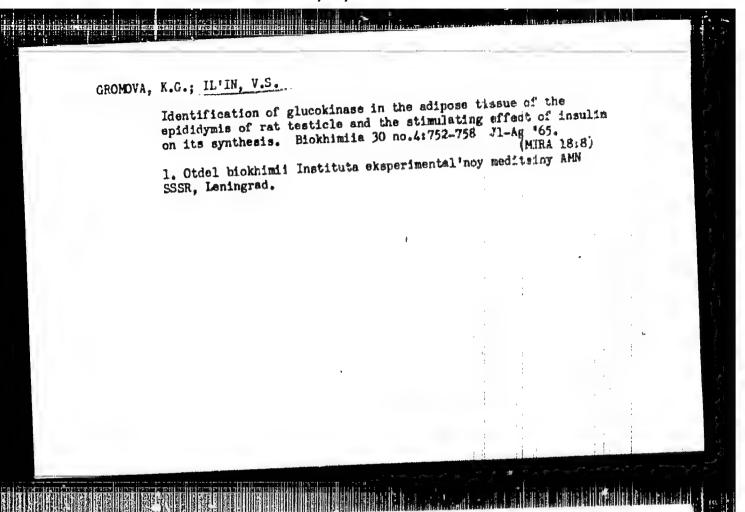
IL'IN, V.S., TITOVA, G.V.

CHENTA PER CONCENSION DE LEGALES DE LEGALES DE LA CONCENSION DE LA CONCENS

Effect of insulin in vitro on the activity of hepatin glucose-6-phosphate dehydrogenase and glucose-6-phosphatese. Biokhimiia 28 no.6:987-991 N-D*63 (MIRA 17:1)

1. Department of Biochemistry, Institute of Experimental medicine, Academy of Medical Sciences, Leningrad.



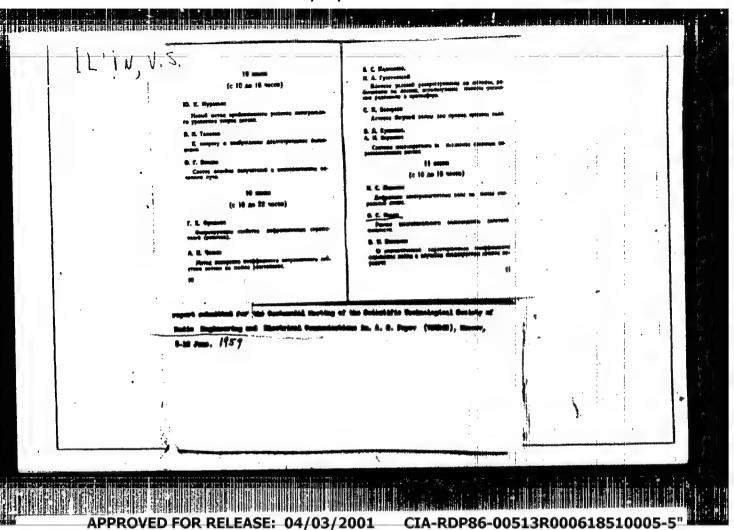


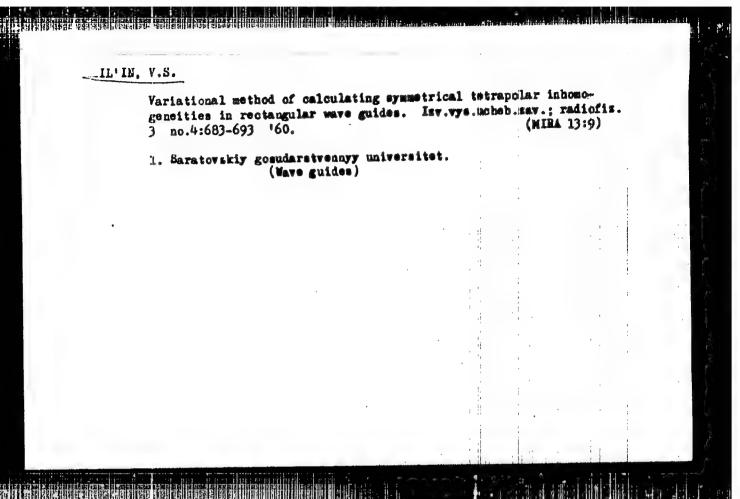
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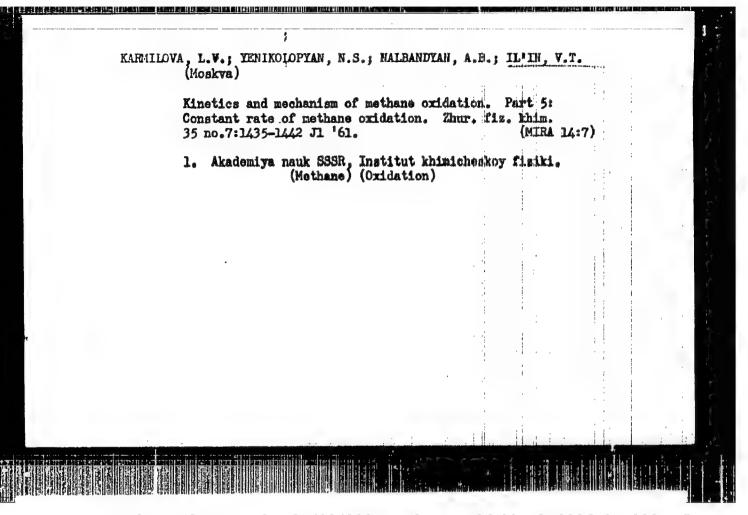
CORN IN UMSKAYA OBLAST." OMSK, 1961. (AUTHOR'S ABSTRACTS
OF DISSERTATIONS PRESENTED AT DMSK AGR INST IM S. M. KIROV).

(KL, 3-61, 225).

323







EWT(d)/EWT(1)/EPF(n)+2/EWP(1) . . IJP(c) ... HB/wm/x L 10716-66

ACC NR: AF5028515

SOURCE CODE: UR/d886/65/boo/020/d098/d098

44,55 AUTHORS: Il'in. V. V.: Vasil'yev. G. I.: Novikov, I. B.

ORG: none

TITLE: Analog-digital device for simulating problems of constationary heat conduction. Class 42, No. 175750

SOURCE: Byulleten' isobreteniy i tovarnykh snakov, no. 20, 195%, 98 21,44,55

temperature simulation, analog digital conventor, leat conduction TOPIC TAGS:

ABSTRACT: This Author Certificate presents an analog-digital device for simulating nonstationary heat conduction. The device contains a network of ohmic resistances and a device for setting the boundary conditions. To increase the accuracy of simulation, the device contains a code-to-analog converter for each node, which operate alternately in a storage and a veltage satting sade. There is also one analog-to-code converter common to all the notes, which is connected sequentially through an electronic switch to the nodes of the network.

Card 1/2

681.14.001.572

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ACC NR: AP5028515

Codes proportional to the voltages at these points are supplied to the impulse of the code-to-enalog converters operating in the storage mode.

SUBM DATE: 18Jul64

SUB CODE: 09/

8/1/44/63/1100/002/0110/c150 ACHELY ALLES

AUTHORS:

Il'in, V.V., Borshchev, V.B., Rokhlin, H.Z.

TITLE:

In order Can a machine think? (Survey of some viewpdinte).

discussion)

PERIODICAL: Referativnyy zhurnal, Mathematika, no. 2, 1961, 44, libstract 2/213

(Tr. Kazansk. aviats. in-ta, 1961, 1961, no. 155, 65 # 80)

In the authors' opinion, among a number of philosophical problems TEXT: of cybernetics under discussion one problem which was raised and given differing solutions by many cyberneticians requires further discussion. "The problem deals with the possibility or impossibility of darrying dult an unalogy between a computer and the brain to the point of admission (or negatilian) that there arises a property in a computer identical or close to consciousness or, more clearly, to thought. Can a machine think? - This clear question produces two mutually exclusive viewpoints: yes or no". The authors analyze the basic arguments in support of the impossibility in principle of designing a thinking machine: the algorithmic undeterminability of certain problems, the nonreducibility of think-

Card 1/2

CIA-RDP86-00513R000618510005-5" **APPROVED FOR RELEASE: 04/03/2001**

Can a machine think?

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ing, as a special form of motion of matter, to the physical form of motion of matter (to a lower form): the impose bility of simulating the subjective bay-chological universe of man; in the arthors opinion none of these arguments can be admitted as conclusive. "On the basis of the absence of contradiction to the idea of the possibility of designing a thinking machine by any laws of science or philosophy, this idea is admissible as a fully fledged dientific hypothesis. Future experience will solve the question of the truth of his hypothesis. In conclusion, the authors develop the thought that "in a whole number of works in the last few years an attempt is present to comprehend the changes introduced into the content of attributes of matter by the science of the twentheth century. The so-called ontological nongeocentrism". Carrying out an analogy between quantum theory, the theory of relativity, the authors consider that cybernetics apparently is the science which gives us the first foundation for discovering the elements of geocentrism in our consciousness and knowledge", since, "by ieciding in the affirmative the problem of the possibility of creating a thinking material system (the brain) in which consciousness arose and the other forms of highly organized material systems in which consciousness arose and these that other forms of highly organized material systems in which consciousness arose are possible and exist."

Card 2/2 [Abstracter's note: Complete translation]

A.M. Kordintov

APPROVED FOR RELEASE: 04/03/2001

CIA-RDP86-00513R000618510005-5

PRIMER, A.I.; ZATTENY, P.V.; IL'IN, V.V.; MITERHIN, Ye.P.

Apparatus for thermal and cathodic atomisation and other of metals in a gas discharge. Sav.lab.22 no.2:238-240 F!56.
(Metallography-Apparatus and supplies) (MIRA 9:6)

807/48-23-2-1/20

21(7) AUTHORS: Bashilov, A. A., Il'in, V. V.

TITLE:

The Coefficients of the Internal Conversion of Some Nuclear Transitions in As75 (Koeffitsiyenty Vnutrenney konversil

nekotorykh yadernykh perekhodov v As75) Izvestiya Akademii nauk SSSR. Seriya fizicheskaya, 1959,

PERIODICAL:

Vol 23, Nr 2, pp 154-158 (USSR)

ABSTRACT:

In a previous paper (Ref 4) the authors determined the coefficients of the internal conversion (CIC) of some nuclear transitions in As75, that is to say, they determined the ab-

solute value

by measuring the number of conversion electrons no by means of the magnetic spectrometer and by measuring the number of photoelectrons n, struck out of a calibrated target by use of one and the same radioactive source. T, the photoelectric absorption coefficient and g, the erergy function are the parameters of the apparatus, which were determined with

Card 1/3

APPROVED FOR RELEASE: 04/03/2001 CIA-RDP86-00513R000618510005-5"

501/48-23-2-1/20

The Coefficients of the Internal Conversion of Some Nuclear Transitions in As75

specially calibrated samples and y-rays with well known CIC The target was calibrated with y-rays of ThB, Au 198 and Cal37 (Fig 1). The authors determined the CIC for nuclear transitions in As⁷⁵ with the energies E_{γ} = 255, 280, 305 and 401 keV, which correspond to direct transitions from these energy levels into the ground state of As ? Due to the fact that the intensity of E, = 305 and 401 kev is considerably weaker as compared. to $E_{\gamma} = 265$, 280 kev, two radiation sources of different thickness with $\sigma = 0.1 \text{ mg/cm}^2$ and $\sigma = 0.5 \text{ mg/cm}^2$ were used. Figures 2, 3, 4 and table 1 contain the experimental data for τ, g, ng/ny and αg. For comparative data of other authors see table 2. There is a deviation by about 10%. The determination of the transition types resulting from a comparison of the theoretical and experimental values of α_{K} is given in table 3. For the energies E, = 401, 305, 280, 265 kev spin and parity. of the individual levels were determined to be: 5/2+, 9/2+, 5/2", 3/2" (ground state); corresponding transitions;

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